

Tracking Retail Investor Activity

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Abstract

We provide an easy method to identify purchases and sales initiated by retail investors using recent, widely available U.S. equity transactions data. Individual stocks with net buying by retail investors outperform stocks with negative imbalances by approximately 10 basis points over the following week. Less than half of the predictive power of marketable retail order imbalances is attributable to order flow persistence; contrarian trading (a proxy for liquidity provision) and public news sentiment explain little of the remaining predictability. There is suggestive (but only suggestive) evidence that retail marketable orders contain firm-level information that is not yet incorporated into prices.

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Can retail equity investors predict future stock returns? Or do they make systematic, costly mistakes in their trading decisions? The answers to these questions are important for other market participants looking for useful signals about future price moves, for behavioral finance researchers, and for policymakers who need to decide whether these investors should be protected from themselves.

Many researchers have concluded that retail equity investors are generally uninformed and, if anything, make systematic mistakes when selecting equity investments (e.g., Barber and Odean (2008), Barber, Odean, and Zhu (2009)). However, some more recent evidence, including Kaniel, Saar, and Titman (2008), Kaniel et al. (2012), Kelley and Tetlock (2013), Fong, Gallagher, and Lee (2014), and Barrot, Kaniel, and Sraer (2016), suggests otherwise. These studies show that retail investors can predict future stock returns. Unfortunately, most existing studies of retail order flow are based on proprietary datasets with relatively small subsets of overall retail order flow. For example, Barber and Odean (2000) and Barber, Odean, and Zhu (2009) analyze data from a single U.S. retail brokerage firm; Kelley and Tetlock (2013) use data from a single U.S. wholesaler; Fong, Gallagher, and Lee (2014) analyze data from the Australian Securities Exchange (ASX); and Barrot, Kaniel, and Sraer (2016) use data from a single French brokerage firm. Kaniel, Saar, and Titman (2008), Kaniel et al. (2012), and Boehmer, Jones, and Zhang (2008) use proprietary account-type data from the NYSE during the early 2000s. During that sample period, only a small number of brokerages sent their retail order flow to the NYSE. As a result, the amount of data available (and has remained) quite small.

In existing work, many researchers use trade size as a proxy for retail order flow. Before the sequence of small child orders, small trades were much more likely to come from retail customers, while institutions were likely behind the larger reported trades. For example, Lee and Radhakrishna (2000) use a \$20,000 cutoff point to separate smaller individual trades from larger institutional trades. More recently, Campbell, Ramadorai, and Schwartz (2009) effectively allow these cutoff points to vary through a regression approach that is calibrated to observed quarterly changes in institutional ownership, but they maintain the same basic assumption that small trades are more likely to arise from individual trading. However, once algorithms become an important feature of institutional order executions, in the early 2000s, this trade-size partition becomes far

less useful as a proxy for retail order flow. In fact, the tendency for algorithms to slice orders into smaller and smaller pieces has progressed so far that we find that during our recent sample period, the retail order flow that we identify actually has a slightly larger average trade size compared to other flow.

Given the current automated and algorithm-driven market structure, researchers need an easily implementable method to isolate retail order flow. We introduce such a measure in this paper. As one of our main contributions, we show that our measure can identify a broad swath of marketable retail order flow. Our measure builds on the fact that, due to regulatory restrictions in the U.S. and the resulting institutional arrangements, retail order flow, but not institutional order flow, can receive price improvement, measured in small fractions of a cent per share. We use this fact to identify marketable retail price-improved orders from the TAQ data, a publicly available data set that contains all transactions for stocks listed on a national exchange in the U.S. We do this by identifying trades that execute at share prices with fractional pennies. Most such price-improved transactions take place off-exchange and are reported to a Trade Reporting Facility (TRF). Using this TRF data, we identify transactions as retail buys if the transaction price is slightly below the round penny, and retail sells if the transaction price is slightly above the round penny. This approach isolates marketable orders from institutional ones, because institutional trades cannot receive this type of fractional penny price improvement.¹ We discuss our approach in greater detail in the data section. Notice that our retail order flow measure only includes marketable orders, but not limit orders. Overall, we believe that our method of retail trade identification is conservative, and we cross-validate the accuracy of our approach using a small sample of NASDAQ TRF audit trail data.

We analyze retail marketable order flow from the U.S. equity market for six years between January 2010 and December 2015. We find that retail investors are slightly contrarian at a weekly horizon, and that the cross-section of weekly marketable retail order imbalances predicts the cross-section of returns over the next several weeks, consistent with the findings of Kaniel, Saar, and Titman (2008), Kaniel et al. (2012), Kelley and Tetlock (2013), Fong, Gallagher, and Lee (2014),

¹ In contrast, institutional trades often occur at the midpoint of the prevailing bid and ask prices. If the bid-ask spread is an odd number of cents, the resulting midpoint trade price ends in a half-penny. Many of these midpoint trades take place on crossing networks and are reported to the TRF. Thus, trades at or near a half-penny are likely to be from institutions and are not assigned to the retail category.

and Barrot, Kaniel, and Sraer (2016), but inconsistent with the findings of many others. The predictability of marketable retail order flow for future returns is consistent with three hypotheses: persistence in retail order flow, liquidity provision, and informed trading. We conduct a decomposition exercise and separate the marketable retail order imbalance into proxies for these components. The empirical findings show that the persistence in order flow, and order flow driven by return reversals (our proxy for liquidity provision), accounts for about half of the predictive power of the marketable retail order imbalance for future returns, and we attribute the other half to potential informed trading. We go one step further and investigate the nature of the information embedded in retail trading. Our results show that the marketable retail order imbalance is positively correlated with some firm-level surprises in public news, and the marketable retail order flow has predictive power beyond public news, which suggests (but only suggests) that retail investors might possess firm-level information that is not yet incorporated into prices. Finally, we conduct a battery of robustness checks and provide further discussion. Our results are robust, and we provide additional evidence that, despite the predictive power of marketable retail order flows in the cross section, aggregate marketable retail flows cannot predict future market returns.

Given the nature of our data, our work is also related to recent studies of off-exchange trading in the U.S. For instance, Kwan, Masulis, and McNish (2015) study the competition between traditional stock exchanges and new dark trading venues and find that the minimum pricing increment regulation (typically one penny) drives orders to dark pools and limits the competitiveness of the exchanges. Battalio, Corwin, and Jennings (2016) examine make-take fees and how brokers route order flow, and suggest that current order routing practices may not maximize the quality of limit order execution. Menkveld, Yueshen, and Zhu (2017) directly investigate the pecking order of trading venues in dark pools and document that investors strategically put low-cost-low-immediacy orders in front of high-cost-high-immediacy orders.

Compared to the earlier literature on retail orders and studies of off-exchange trades, we make three main contributions. First and most importantly, we propose a novel methodology for identifying and signing marketable retail trades using publicly available data with substantial coverage. Second, our empirical results show that the marketable retail trades we identify can predict the cross-section of future stock returns. Third, we analyze the nature of the predictive power of marketable retail order flow and show that half of its predictability is likely driven by order imbalance persistence and liquidity provision, while the other half is consistent with

informed trading. We also track potential informed trading to different types of news and provide some suggestive evidence on the nature of the information possessed by these retail investors.

Two studies, Kaniel, Saar, and Titman (2008) and Kelley and Tetlock (2013), study similar questions, and are closely related to our research, but with different data and different interpretations. For instance, using proprietary data from the NYSE between January 2000 and December 2003, Kaniel, Saar, and Titman (2008) document that retail order flows can predict stock returns. In addition, Kaniel, Saar and Titman (2008) examine the contemporaneous relation between their retail order flows and stock returns. They find that the contemporaneous return is significantly positive for stocks that retail investors sell, and negative for stocks that they buy,

The remainder of this paper is organized as follows. We describe the data and our identification method in Section I. Section II presents our main empirical results. We provide further discussion of the results and perform robustness and plausibility checks in Section III. Finally, Section IV concludes the paper.

I. Identifying Retail Order Flows

As we noted in the introduction, our most important contribution is to provide a simple new method to identify a wide swath of marketable retail order flow using publicly available equity transaction data. We introduce data sources in Section I.A, and the institutional background in Section I.B. Summary statistics and cross validation are reported in Section I.C and I.D, respectively.

A. Data Sources

From TAQ trade data, we keep only trades that occur off-exchange, with exchange code . We merge these TAQ data with stock returns and accounting data from CRSP and Compustat, respectively. We include only the common stocks with share code 10 or 11 (which excludes mainly ETFs, ADRs, and REITs) listed on the NYSE, NYSE MKT (formerly the Amex), and NASDAQ. We remove low-priced stocks by requiring the minimum stock price to be \$1 at the previous month-end.

Our sample period covers January 3, 2010 to December 31, 2015. Data on subpenny price improvement actually extend back to 2005. In Appendix Figure A1, we show the time series from January 2005 (the start of Regulation NMS, which established the current regulatory framework for subpenny price improvement in the U.S.) to December 2017. We choose to study the period from 2010 to 2015 for two reasons. First, for the first few years of Reg NMS, there is a strong upward trend in the number of subpenny trades, possibly because an increasing number of brokerage firms were adopting the practice of providing fractional cents of price improvement to retail investors via internalization or wholesalers. The upward trend disappears and stabilizes after 2009. Second, from 2016 to September 2018, the SEC adopted a tick size pilot program (TSPP) that affects tick size and broke ability to provide price improvement for many stocks, which likely affects the prevalence of subpenny price improvements unevenly in the cross section. Therefore, our main results are focused on the middle part of the data, 2010 to 2015. For each day, we have an average of around 3,000 firms included in the sample.

B. Institutional Background and Methodology

In the U.S., most marketable equity orders initiated by retail investors do not take place on one of the dozen or so registered exchanges. Instead, these retail orders are typically executed either by wholesalers or via internalization, meaning inventory. Orders executed by wholesalers or through internalization must be publicly reported; they are usually reported to a FINRA Trade Reporting Facility (TRF), which provides broker-dealers with a mechanism through which to report transactions that take place off-exchange. These TRF executions are then included in the TAQ with . Many orders that are internalized or executed by wholesalers are given a small price improvement relative to the National Best Bid or Offer (NBBO).² For instance, wholesalers

order to the wholesaler. Internalizers, who are subject to Regulation 606T, need to show that they , and thus also have incentives to provide price improvement to their clients. This price improvement is typically only a small fraction of a cent. Common price improvement amounts are 0.01, 0.1, and 0.2 cent.

Brokerage firms in the U.S. are required to provide regular summary statistics in SEC Rule 606 filings about their order routing practices for non-directed orders. A directed order instructs the broker to execute an order on a given exchange or trading venue; a non-directed order gives the broker discretion regarding the execution venue. The vast majority of retail orders are non-directed. For example, Charles Schwab reports that 98.6% of their security orders during the second quarter of 2016 were non-directed orders. The corresponding figure for TD Ameritrade is 99%. According to the Rule 606 filings by these two retail brokerage firms, more than 90% of these orders receive price improvement.

Our communications with a major retail wholesaler and a major exchange suggest that these types of price improvement are not a feature of institutional order executions, as institutional orders are almost never internalized or sold to wholesalers. Instead, their orders are sent to exchanges and dark pools, and Regulation NMS prohibits these orders from having subpenny limit

² As a rough estimate of the frequency of subpenny price improvement, we find in a NASDAQ subsample used for robustness tests (introduced in Section I improvements, with 14% reported at the halfpenny and 46% taking place at a different subpenny. For subpenny trades that do not execute at half pennies and constitute the focus of our study, more than 99% are reported to a TRF with

prices. Thus, institutional transaction prices are usually in round pennies. The only exception applies to midpoint trades. Reg NMS has been interpreted to allow executions at the midpoint between the best bid and best offer. As a result, institutions are heavy users of crossing networks and midpoint peg orders that generate transactions at this midpoint price. Since the quoted spread is now typically one cent per share, this means that many institutional transactions are reported at a half-penny price. In the early part of our sample, a small number of dark pools allowed some subpenny orders and provided non-midpoint subpenny execution prices, but our results are robust when we exclude this subperiod.³

Based on these institutional arrangements, identifying transactions initiated by retail customers is fairly straightforward. Transactions with a retail seller tend to be reported on a TRF at prices that are just above a round penny due to the small price improvement, while transactions with a retail buyer tend to be reported on a TRF at prices just below a round penny. To be precise, for all trades reported to a FINRA TRF (exchange code `D` in TAQ), let P_{it} be the transaction price in stock i at time t , and let $Z_{it} = 100 * \text{mod}(P_{it}, 0.01)$ be the fraction of a penny associated with that transaction price. Z_{it} can take any value in the unit interval $[0,1)$. If Z_{it} is in the interval $(0,0.4)$, we identify it as a retail sell transaction. If Z_{it} is in the interval $(0.6,1)$, then the transaction is coded as a retail buy transaction. To be conservative, transactions at a round penny ($Z_{it} = 0$) or near the half-penny ($0.4 \leq Z_{it} \leq 0.6$) are not assigned to the retail category.

As discussed above, Reg NMS requires that limit orders be priced at round pennies, so our approach will by definition identify only marketable retail orders.⁴ The 606 filings by brokerage firms are also partitioned into market and limit orders, which allows us to gauge the relative

³ According to SEC litigation releases (see, for example, <https://www.sec.gov/litigation/admin/2015/33-9697.pdf> and <https://www.sec.gov/litigation/admin/2016/33-10013.pdf>), at least two dark pool operators (Credit Suisse and UBS) were accused of violations of Regulation NMS in accepting, ranking, and executing orders based on subpenny prices. These alleged violations occurred through mid-2011 and were eventually settled. A back-of-the-envelope calculation suggests that these violations could have accounted for about 0.5% of total share volume during this part of our sample period. Since these dark pools cater to institutions, including high-frequency traders, our identification of retail flows during this period, and we cannot identify using public TAQ data which trades are from the affected dark pools. Given the potential contamination accounts for a small part of overall subpenny trades for our sample period, our main analysis still focuses on the full sample period from 2010 to 2015. We conduct a subsample analysis for 2012 to 2015 in a robustness check in Section III.B, and the results are similar to those for the whole sample. We thank the associate editor for pointing this out.

⁴ Marketable orders by definition demand immediacy, and according to Kelley and Tetlock (2013), market orders are

prevalence of these two types of orders. For example, the Charles Schwab brokerage firm reports that for the second quarter of 2016, market orders account for 50.0% of non-directed orders in NYSE-listed securities, while limit orders account for 45.1%, and other orders account for the remainder. For securities listed on NASDAQ, limit orders are slightly more prevalent than market orders at Schwab, with market orders accounting for 44.0% and limit orders, 50.7%. Note also that non-marketable limit orders may be cancelled without being executed, so most overall retail trading activity is likely to arise from marketable orders. Thus, our approach probably picks up a majority of the overall retail trading activity.⁵

C. Summary Statistics

Table I presents summary statistics on the marketable retail orders identified by our method. We pool observations across stocks and days, and compute the mean, standard deviation, median, and 25th and 75th percentiles. Our sample comprises over 4.6 million stock-day observations. For the number of shares traded per day (*vol*), the mean share volume is around 1.23 million, and the standard deviation is about 6.85 million shares. The average stock has 5,917 trades each day (*trd*). These numbers suggest that the average trade size over this sample period is about 200 shares. Our identified marketable retail investor activity represents only a small part of the overall trading volume. The identified average daily buy volume from marketable retail orders (*mrsvol*) is 42,481 shares, and the average daily sell volume from marketable retail orders (*mrsvol*) is 42,430 shares. *mr* retail. Thus, we identify an average of 84,911 shares per stock-day traded by marketable retail orders, about 6.91% of the average total shares traded each day. The average number of buy trades from marketable retail orders (*mrbrd*) each day is 110, and the average number of sell trades from marketable retail orders (*mrstrd*) each day is 108. Thus, the total number of identified trades per stock-day from marketable retail orders is 218, around 3.68% of the total number of trades. Interestingly, the buy volumes closely match the sell volumes, and the number of buy trades match the number of sell trades, both indicating that many marketable retail trades offset each other. In terms of average share volumes and number of trades, there is slightly more buying than selling by marketable retail trades over our sample period.

⁵ One might wonder whether the market or marketable orders can be offset, in aggregate, by limit or non-marketable orders in the opposite direction. This is possible. Unfortunately, we do not have data to directly check this possibility.

Information on odd lot trades (trades of fewer than 100 shares) is reported on the TRF and on the consolidated tape beginning in December 2013 (Ye, 2014). During the sample period from December 2013 to December 2015, for which odd lot data are available, the daily averages of marketable odd lot marketable retail buy and sell volumes (*oddmrbvol* and *oddmrsvol*, respectively) are 506 and 443 shares respectively, totaling 949 shares traded by marketable retail investors in odd lots per average stock-day. This is about one-third of the total odd lot share volume, at 3,027 shares. The pattern for the number of trades is similar. Prior studies of odd lots generally find that these marketable retail-dominated orders are virtually uninformed, so later in the paper we study odd lots separately to determine whether the information content in odd lots executed by marketable retail trades differs from that of marketable retail round lots.

Figure 1 provides further statistics on the overall properties of our identified marketable retail trades. Panel A presents trade sizes in dollars. For each marketable retail trade, we compute the trade size in dollars by multiplying the number of executed shares by the transaction price. For each year of our sample, we compute the 25th percentile, the median, and the 75th percentile of marketable retail trade size. The median marketable retail trade size is around \$8,000, and the interquartile range is mostly between \$2,000 and \$25,000. Panel B reports the distribution of subpenny prices. We separate all trades into 12 groups or bins. We separate out trades that take place at a round penny or half penny; the other bins are each 0.1 cent wide. We pool the sample across days and stocks, and we report the number of shares reported in the different subpenny buckets. Not surprisingly, most of the share volume occurs at round and half-pennies, with average stock-day share volumes of around 27,000 and 7,000, respectively. The next most prevalent occurrence, averaging around 3,000 shares per day per stock, is a subpenny price within 0.1 cent of a round penny. Other subpenny bins are less prevalent, with most averaging around 1,000 shares per stock per day.

We measure marketable retail order imbalance by computing four order imbalance measures for each stock i on each day t :

$$mroi bvol(i, t) = \frac{mrbvol(i, t) - mrsvol(i, t)}{mrbvol(i, t) + mrsvol(i, t)}, \quad (1)$$

$$mroi btrd(i, t) = \frac{mrbtrd(i, t) - mrstrd(i, t)}{mrbtrd(i, t) + mrstrd(i, t)}, \quad (2)$$

$$oddmroibvol(i, t) = \frac{oddmrbvol(i, t) - oddmrsvol(i, t)}{oddmrbvol(i, t) + oddmrsvol(i, t)}, \quad (3)$$

$$oddmroibtrd(i, t) = \frac{oddmrbtrd(i, t) - oddmrstrd(i, t)}{oddmrbtrd(i, t) + oddmrstrd(i, t)}. \quad (4)$$

The first two measures are calculated using marketable retail round lot executions between January 2010 and December 2015 and by aggregating round lot and odd lot executions thereafter, while the last two measures are calculated using only marketable retail odd lots, and thus these latter measures begin in December 2013 instead of December 2010.

Summary statistics on the marketable retail order imbalance measures are reported at the bottom of Table I. Across all stocks and all days, the mean order imbalance for share volume, *mroibvol*, is -0.038, with a standard deviation of 0.464, and the mean order imbalance for trade, *mroibtrd*, is -0.032, with a standard deviation of 0.437. The correlation between *mroibtrd* and *mroibvol* is around 85%. Our later discussions mostly focus on *mroibvol*, but the results using these two measures are quite similar given the high correlation between the two. Overall, the order imbalance measured in shares is close to zero on average, but with sells slightly more prevalent than buys, which is consistent with findings in Kaniel, Saar, and Titman (2008). More importantly, the sizable standard deviation measures show that there is substantial cross-sectional variation in the activity levels and trading direction of retail investors. The odd lot order imbalance measures exhibit similar patterns.

In Figure 2, we plot the time-series of the cross-sectional mean, median, and 25th and 75th percentiles of the marketable retail order imbalance measures over the six-year sample period. Across all four order imbalance measures, the means and medians are all close to zero, while the 25th percentiles are mostly around -0.3, and the 75th percentiles are mostly around 0.2. There are no obvious time trends or structural breaks in the time-series observations.

We extensively examine other properties of the marketable retail order imbalance measures. To save space, we put them in the Appendix. The

for smaller firms. Appendix Figure A2 Panel B presents the time-series correlation between the marketable retail order imbalance measure and past returns. The results display a V-shape, indicating that the correlation between the current marketable retail imbalance and the previous one-day return is positive on average (which is consistent with momentum trading), then becomes negative (which is consistent with contrarian trading) for the next 30 trading days. Finally, Appendix Table AI reports the results for seasonality and its relation with variables reflecting firm fundamentals.

D. Cross Validation with NASDAQ TRF Data

Our main data source is TAQ, which does not provide direct information on the direction of the trade or the identity of the traders. We validate our marketable retail order imbalance algorithm through a small sample of proprietary NASDAQ data.⁶ The same dataset is used in Menkveld, Yueshen, and Zhu (2017), who provide more details about the data. The NASDAQ sample covers all intraday transactions on its TRF for 117 stocks for the month of October 2010. The 117 stocks are chosen from different size groups, but they are generally larger than a typical firm in TAQ.⁷

For each trade, the NASDAQ , ,
. Our algorithm identifies all subpenny trades with subpenny prices between 0.61 and 0.99 cents inclusive as buy trades. We separate all subpenny (as indicated in the NASDAQ TRF data) identification). We falsely identify 1.37% as sell. Similarly, our algorithm identifies all subpenny trades with subpenny prices between 0.01 and 0.39 basis points as sell trades. In this case, we falsely identify 2.12% of all subpenny buy. identified marketable retail s s for stocks with a share price below \$100, our subpenny approach matches the NASDAQ trade-signing algorithm gets the trade sign right 96.7% of the time. Overall, we find our algorithm is quite accurate for trade direction identification.

⁶ We thank NASDAQ for generously providing the data.

Menkveld et al. (2017) describe that when order flows come in, they will be routed to different types of off-exchange venues, depending on the cost and immediacy of the trade execution. The NASDAQ TRF data identify five types of off-exchange venues: `Dark`, `Light`, `DarkPenny`, `DarkPennyP`, and `Retail`. Our communication with a major marketable retail-wholesaler and the NASDAQ indicates that `Retail` the venue types are a mix of all kinds of traders. Thus, the venue is not a precise indicator for a identity, and even if one had access to the NASDAQ TRF sample for a larger cross-section over a longer period of time, there would still be an important role for our algorithm in identifying marketable retail buys and sells.

Our main measure in this article is order imbalance. The correlation between our order imbalance measure and the one calculated using the `DarkRetail` order imbalance for the 117 stocks is 0.70. This correlation is less than one for two main reasons: First, our order imbalance measure includes trades printed on the competing NYSE TRF, while the NASDAQ TRF dataset does not; second, our order imbalance measure includes some subpenny trades from the `Dark` venues `DarkPenny` and `DarkPennyP`. Retail. Finally, some marketable retail market orders do not receive price improvement or receive a full half-cent of price improvement. We do not sign these trades or include them in our marketable retail sample, because we cannot be sure that we have the correct trade direction. Nevertheless, the high correlation between our marketable retail order imbalance measure and the actual NASDAQ `Retail` data strongly suggests that our order imbalance measures closely reflect the true marketable buy and sell activities of retail investors.⁸

II. Empirical Results

In the data section, we measure order imbalances at the daily level to minimize the amount of aggregation. For our main empirical results, we focus on weekly horizons to reduce the impact

⁸ Kelley and Tetlock (2013) compute retail order imbalance measures using data from one large wholesaler. As part of a conference discussion of our paper, Kelley computed the retail order imbalance measure for 2007 using our algorithm and found that the correlations between our measure and their measure ranged between 0.345 and 0.507 when defining marketable retail flow using different subpenny ranges. For instance, 0.345 is the correlation of our measure and their measure using the number of shares for subpenny prices in the (0, 0.4) and (0.6, 1) cent intervals, while 0.507 is the correlation between our measure and their measure using the number of trades for subpenny prices at 0.99 cents and 0.01 cents. These correlations should be less than one because their flow comes from only one wholesaler, while our measure comes from TRF, which covers nearly all retail order executions. We are grateful to Eric Kelley for computing and sharing these calculations with us.

of microstructure noise on our results. That is, our main variables of interest are firm-level average marketable retail order imbalances over five-day horizons and five-day firm-level stock returns. Blume and Stambaugh (1986) show that using the end-of-day closing price to compute daily returns can generate an upward bias due to bid-ask bounce. Therefore, we compute two versions of weekly returns, one by compounding CRSP daily returns, based on daily closing prices, and one by compounding daily returns using the end-of-day bid-ask average price. We always report the results for both types of returns but focus our attention on returns based on closing bid-ask averages.

We start by investigating the properties of the order imbalance measures in Section II.A. In Section II.B, we examine whether past marketable retail order imbalance measures can predict future stock returns using Fama-MacBeth regressions and long-short portfolios. In Section II.C, we compare alternative hypotheses for the predictive power of marketable retail order imbalances for future stock returns. In Section II.D, we explore the nature of the information contained in marketable retail flow by linking it to Thomson Reuters News Analytics data.

A. What Explains Marketable Retail Investor Order Imbalances?

We start our empirical investigation by examining what drives the trading of retail investors. Specifically, we examine how retail marketable order flow is related to past order flow and past returns. To allow maximal time-series flexibility and focus on cross-sectional patterns, we adopt the Fama and MacBeth (1973) two-stage estimation. At the first stage, for each day, we estimate the following predictive regression:

$$mroib(i, w) = b_0(w) + b_1(w)'ret(i, w - 1) + b_2(w)'controls(i, w - 1)$$

order imbalance and return measures, the standard errors are calculated using Newey-West (1987) with six lags.⁹

(2008) over monthly horizons, and by Barrot, Kaniel, and Sraer (2016) over daily and weekly horizons. In contrast, Kelley and Tetlock (2013) paint a more complex picture. They find that at weekly horizons, marketable retail order imbalance measures are contrarian and have negative coefficients on past returns. Over shorter (daily) horizons, however, they find that market order imbalances actually have a positive coefficient on the lagged one-day return, which implies momentum rather than contrarian behavior.

Appendix Figure A2 Panel B plots the correlation of daily order imbalance with past returns for the previous one to 80 trading days. Similar to Kelley and Tetlock (2013), the correlation between the current marketable retail order imbalance and the previous-day return is positive, indicating a momentum trading pattern on average. However, at lags 00009 TJrrwo TJrdaKellkly

$$ret(i, w) = c0(w) + c1(w)mroib(i, w - 1) + c2(w)'controls(i, w - 1) + u2(i, w), \quad (6)$$

where we use the marketable retail order imbalance measure from the previous week, $mroib(i, w - 1)$, and various control variables to predict stock return, $ret(i, w)$, for firm i during week w . As in the previous section, because we use overlapping daily frequency data for weekly order imbalances and return measures, the standard errors of the time-series are adjusted using Newey-West (1987) with five lags. If past marketable retail order imbalances predict the cross-section of future returns in the same direction, we expect coefficient $c1$ to be significantly positive. For example, if retail buys dominate retail sells for a particular stock during a particular week, a positive $c1$ future return tends to be above the cross-sectional average. There are several possible explanations, none of which are mutually exclusive. There could be persistence in marketable retail order imbalances, marketable retail orders could be compensated for providing liquidity, or retail traders may have valuable information that is incorporated into stock prices at some point after they trade. We examine these hypotheses in Section C. If coefficient $c1$ turns out to be significantly negative, again there are multiple possible explanations. These retail investors might be making systematic trading mistakes, or retail investors might be mainly traders who end up trading at temporarily disadvantageous prices because rational but risk-averse market makers require compensation for trading with them. Either way, a negative $c1$ would constitute a drag on the overall returns of these retail investors. Finally, if $c1$ is insignificantly different from zero, we cannot reject the null that our measure of marketable retail order flow is uninformative on average about the cross-section of future stock returns.

We again include past returns as control variables, using three different horizons: the previous week, the previous month, and the previous six months (from month $m-7$ to month $m-2$). In addition, we include log market cap, log book-to-market ratio, turnover, and daily return volatility, all from the previous month. We report the estimation results in Table III. In regression I, we use the order imbalance based on share volume, $mroibvol$, to predict the return based on bid-ask midpoints. The coefficient on $mroibvol$ is 0.0009, with a t -statistic of 15.60. The positive and significant coefficient shows that, if retail investors buy more than they sell in a given week, the return on that stock in the next week is significantly higher. In terms of magnitude, we

report at the bottom of the table that the inter-quartile range for the *mroibvol* measure is 1.1888 per week. Multiplying the interquartile difference by the regression coefficient of 0.0009 generates a weekly return difference of 10.89 basis points (or 5.66% per year) when moving from the 25th to the 75th percentile of the *mroibvol* variable. The same pattern is present when we use different order imbalance and return measures, and the weekly interquartile difference in the conditional mean return ranges from 9.31 basis points to 11.44 basis points (4.84% to 5.94% per year). Whether economic magnitudes are large or small depends on the beholder, but this strikes us as a non-trivial amount of cross-sectional predictability that lasts for a relatively long time (weeks, not days, as we will show later in the paper). Overall, past week marketable retail order imbalances can significantly predict future returns in the correct direction.

For the control variables, we observe negative coefficients on the which indicates weekly return reversals, and positive coefficients on the other longer-horizon returns, which indicates momentum. Size, book-to-market, turnover, and volatility all carry the expected signs, and most are not statistically significant. This result also confirms that the predictability we find is not simply a manifestation of some other size, book-to-market, turnover, or volatility anomaly. The average adjusted R^2 s from the first stage cross-sectional estimation are mostly around 3.85%.

B.2. Subgroups in the Cross Section

Our sample includes on average more than 3,000 firms each day. Is the predictive power of marketable retail order imbalances restricted to a particular type of firm? Do informed retail investors have preferences for particular types of firms? We investigate these questions by analyzing various firm subgroups in this section. We first sort all firms into three groups based on a firm or stock characteristic observed at the end of the previous month. Then, we estimate equation (6) within each characteristic group. That is, we allow all coefficients in equation (6) to be different within each group, which allows substantial flexibility in the possible predictive relationship across these different groups.

To save space, we include only the results on weekly returns that are computed using the end-of-day bid-ask average price. We first sort all stocks into three different size groups based on market capitalization: small, medium, and large. The results are reported in Panel A of Table IV. In the left panel, we report coefficients on *mroibvol*, the order imbalance computed from share

volume. When we move from the smallest one-third of firms by market cap to the largest tercile, the coefficient on *mroibvol* decreases from 0.0013 to 0.0003, and the *t*-statistic decreases from 13.90 to 3.68. Clearly, the predictive power of marketable retail order imbalances is much stronger for smaller firms than for larger-cap firms, but the predictability remains reliably present in all three groups. Economically, the interquartile difference in weekly returns is 21.9 basis points for the smallest firms (11.39% per year), and 2.6 basis points for the largest firms (1.35% per year). The results in the right panel using order imbalance based on the number of trades (*mroibtrd*) are

The results in the previous section show that marketable retail order imbalances can predict next week returns positively and significantly. It is natural to now ask whether the predictive power is transient or persistent. If the predictive power quickly reverses, the retail investors may be capturing price reversals; if the predictive power continues over time and then vanishes beyond some horizon, the retail investors may be informed about information relating to firm fundamentals. To answer this question, we extend equation (6) to longer horizons as follows:

$$ret(i, w + k) = c0(w) + c1(w)mroib(i, w) + c2(w)'controls(i, w) + u3(i, w + k). \quad (7)$$

That is, we use one week of order imbalance measures to predict k -week ahead returns, $ret(i, w+k)$, with $k=1$ to 12. To observe the decay of the predictive power of marketable retail order imbalance, the return to be predicted is a weekly return over a one-week period, rather than a cumulative return over n weeks, which is an average over all weeks involved. If marketable retail order imbalances have only short-lived predictive power for future returns, we might observe the coefficient $c1$ decrease to zero within a couple of weeks. Alternatively, if the marketable retail order imbalance has longer predictive power, the coefficient $c1$ should remain statistically significant for a longer period. In our empirical estimation, we choose k ranging from two to 12 weeks.

We report the results in Table V, with results based on bid-ask average returns in Panel A, and those based on closing transaction prices in Panel B. In Panel A, when we extend the window from two to 12 weeks, the coefficient on $mroibvol$ monotonically decreases from 0.00055 to 0.00007, and the coefficient on $mroibtrd$ gradually decreases from 0.00048 to 0.00006. The coefficients are statistically significant up to six or eight weeks ahead. The results in Panel B are similar. There is no evidence of price reversals at any horizon. Thus, our marketable retail order imbalances potentially capture either longer-lived information or slow information diffusion.

B.4. Long-Short Portfolios

One might wonder whether we can use marketable retail order imbalances as a signal to form a profitable trading strategy. As discussed earlier, both $mroibvol$ and $mroibtrd$ are publicly available information. In this section, we form quintile portfolios based on the previous week average order imbalance and then hold the quintile portfolios for up to 12 weeks. If retail investors on average can select the right stocks to buy and sell, then firms with higher or positive marketable

retail order imbalance would outperform firms with lower or negative order imbalance. Notice that this exercise uses marketable retail order imbalance (we use the top 10% of firms with positive stock returns, and it thus provides no information on whether retail investors with marketable orders make profits from their own trades. We ignore transactions costs here, and the results are therefore not definitive on whether outsiders can profit from these signals.

Table VI reports long-short portfolio returns, where we buy the stocks in the highest order imbalance quintile and short the stocks in the lowest order imbalance quintile each day using the previous 5-day marketable retail order flow measures, and hold them for the next few weeks. Portfolio returns are value-weighted using the previous 5-day marketable retail order flow measures. Because the holding period can be as long as 12 weeks, we report both the raw and risk-adjusted returns using the Fama-French three-factor model.

positive for up to 12 weeks for the smallest third of firms, but the results are statistically insignificant for the largest tercile. The results in Panel B, obtained using *mroibtrd*, are qualitatively similar but with smaller magnitude and lower statistical significance. This result is expected since, as mentioned, the information provided by *mroibvol* is simil

C.1. Two-Stage Decomposition

To distinguish among these alternative hypotheses for the predictive relation between previous period marketable retail order imbalance and next period stock return as in equation (6), we adopt a two-step decomposition procedure. In the first step, we decompose the independent variable in equation (6), marketable retail order imbalance $mroib(w-1)$, into three components, with the following cross-sectional regressions for each week $w-1$:

$$\begin{aligned} mroib(i, w-1) = & d0(w-1) + d1(w-1)mroib(i, w-2) \\ & + d2(w-1)'ret(i, w-2) + u4(i, w-1). \end{aligned} \quad (8)$$

For each week $w-1$, we obtain the time-series of coefficients, $\{\widehat{d0}(w-1), \widehat{d1}(w-1), \widehat{d2}(w-1)\}'$. Next, we calculate the three components of the $mroib(i, w-1)$ as follows:

$$\begin{aligned} \widehat{mroib}_{i, w-1}^{persistence} &= \widehat{d1}(w-1)mroib(i, w-2), \\ \widehat{mroib}_{i, w-1}^{contrarian} &= \widehat{d2}(w-1)'ret(i, w-2), \\ \widehat{mroib}_{i, w-1}^{other} &= \widehat{u4}(i, w-1) + \widehat{d0}(w-1). \end{aligned} \quad (9)$$

From equation (8) and (9), we know that

$$mroib(i, w-1) = \widehat{mroib}_{i, w-1}^{persistence} + \widehat{mroib}_{i, w-1}^{contrarian} + \widehat{mroib}_{i, w-1}^{other}. \quad (10)$$

That is, we denote the part of $mroib(i, w-1)$ related to the past order imbalance as the $\widehat{mroib}_{i, w-1}^{persistence}$, the price pressure hypothesis. The part related to past returns over different horizons is $\widehat{mroib}_{i, w-1}^{contrarian}$!

$$\begin{aligned}
ret(i, w) = & e0(w) + e1(w)\widehat{mroib}_{i,w-1}^{persistence} + e2(w)\widehat{mroib}_{i,w-1}^{contrarian} \\
& + e3(w)\widehat{mroib}_{i,w-1}^{other} + e4(w)'controls(i, w - 1) + u5(i, w).
\end{aligned} \tag{11}$$

Since we decompose the original order imbalance measure $mroib(i, w - 1)$ into three parts, related to order flow persistence, a contrarian trading pattern, and the residual, the coefficient estimates in equation (11) reveal how each component of $mroib(i, w - 1)$ helps to predict future stock returns. The advantage of the two stage decomposition approach is that it includes components of $mroib(i, w - 1)$ from alternative hypotheses in a unified and internally consistent empirical framework. The caveat of this approach is that without a structural model, interpreting the results may be more difficult. In particular, we must make empirical assumptions on proxies for the persistence and contrarian components. These empirical assumptions seem to us to be reasonable, but we still need to be cautious that the interpretation of the results depends on the validity of our empirical assumptions.

We report the decomposition results in Table VII. Panel A presents the first-stage estimation as in equation (8), which is quite similar to those reported in Table II. Take the first regression as an example. The order imbalance measure, $mroibvol$, has a highly significant and positive coefficient on its own lag at 0.22, which indicates order persistence. In terms of past returns, the coefficients for the past week, past month, and past six-month returns are -0.9286, -0.2029 and -0.0267, respectively, all implying contrarian trading patterns.

persistence, contrarian
and other, we include them together to predict future stock returns, as in equation (11). In the first regression, we use the past week $mroibvol$ to predict future bid-ask return. The coefficient estimate on $mroib(persistence)$ is 0.0027, with a t -statistic of 8.75, which implies that price pressure significantly and positively contributes to the predictive power of the marketable retail flow. The coefficient estimate on $mroib(contrarian)$ is -0.0044, and it is insignificantly different from zero, implying that we cannot reject the null hypothesis that the contrarian component does not contribute significantly to the predictive power of marketable retail order imbalances. Finally,

for the $mroib(other)$ component, the coefficient is 0.0008, with a strongly significant t-statistic of 14.47.¹⁴

In terms of economic magnitude, we compute the interquartile range of all three components of the order imbalance measure. For the $mroib(persistence)$, if we move from the 25th percentile firm to the 75th percentile firm, the difference in future one-week stock return is 0.0688% (3.58% per year). For the $mroib(other)$ variable, if we move from the 25th percentile firm to the 75th percentile firm, the difference in future one-week stock return is 0.0915% (4.76% per year). For the $mroib(contrarian)$ measure, the sign is the opposite and has no statistical significance. The results in other specifications are quite similar.¹⁵

¹⁴ We also try to include the past order imbalance as a control variable for the second stage estimation. We cannot directly include $mroib(w-1)$ or $mroib(w-2)$, because it will create collinearity issues. Therefore, here we include either $mroib(w-3)$ or $mroib(m-1)$ to control for past $mroib$. These results are presented in Appendix Table AII. We also consider using the contemporaneous return in equation (8) rather than lag returns, and these results are reported in Appendix Table AIII. No matter which specification we use, the main results stay quite similar to those in Table VII.

¹⁵ All three components of the marketable order imbalance measure in equation (11) are measured at week $w-1$ so that we are using this identity to decompose the *predictive* relation between $mroib(w-1)$ and $ret(w)$ in equation (6). If we are willing to depart from this predictive decomposition framework, we can examine other relationships. For example, we might want to examine the *contemporaneous* relation between $mroib(w)$ and $ret(w)$, and use the three fitted values from week w rather than from week $w-1$. In this case, the first stage estimation for week w becomes,

$$mroib(i, w) = d0(w) + d1(w)mroib(i, w-1) + d2(w)'ret(i, w-1) + u4(i, w). \quad ()$$

These are period-by-period cross-sectional regressions, which means that when we estimate coefficients $\{\widehat{d0}(w), \widehat{d1}(w), \widehat{d2}(w)'\}$ w and week $w-1$.

From this first stage estimation, we can define the relevant persistence estimate as:

$$\widehat{mroib}_{i,w}^{persistence} = \widehat{d1}(w)mroib(i, w-1),$$

$$\widehat{mroib}_{i,w}^{contrarian} = \widehat{d2}(w)'ret(i, w-1),$$

$$\widehat{mroib}_{i,w}^{other} = \widehat{u4}(i, w) + \widehat{d0}(w).$$

$$mroib(i, w) = \widehat{mroib}_{i,w}^{persistence} + \widehat{mroib}_{i,w}^{contrarian} + \widehat{mroib}_{i,w}^{other}.$$

Notice that coefficients $\{\widehat{d0}(w), \widehat{d1}(w), \widehat{d2}(w)'\}$ are estimated using information from week w , and thus $\widehat{mroib}_{i,w}^{persistence}$, $\widehat{mroib}_{i,w}^{persistence}$, and $\widehat{mroib}_{i,w}^{persistence}$ all use information from week w . Then the second stage estimation for the contemporaneous relation between return and marketable retail order imbalance becomes

$$ret(i, w) = e0(w) + e1(w)\widehat{mroib}_{i,w}^{persistence} + e2(w)\widehat{mroib}_{i,w}^{contrarian} + e3(w)\widehat{mroib}_{i,w}^{other} + e4(w)'controls(i, w-1) + u5(i, w).$$

In comparison with equation (11), contemporaneous
relation between components of $mroib(i, w)$ and $ret(i, w)$, rather than a *predictive* relation between $mroib(i, w-1)$ and $ret(i, w)$. W

Our decomposition exercise shows that close to half of the predictive power of the marketable retail order imbalance comes from the persistence of the order imbalance measures,¹⁶ and that most of the rest comes from the residual component, after we take out order persistence and the contrarian trading pattern. Since this residual component significantly predicts future stock returns, it is consistent with the hypothesis that marketable retail investor trading contains valuable information about future stock price movements.

C.2. A Closer Look at the Liquidity Provision Hypothesis

The liquidity provision hypothesis receives substantial attention in the existing literature, so here we take a closer look at this hypothesis. Kaniel, Saar, and Titman (2008) argue that retail contrarian trading provides liquidity to the market, and this leads to the positive predictive power of past marketable retail order imbalance for future stock returns. Therefore, in equation (8), we use the part of the marketable retail order imbalance related to past returns, $mroib(contrarian)$, as a Now our results in Table VII show that the contrarian component of marketable retail order flow cannot significantly predict future stock returns. Does this finding completely rule the predictive power of marketable retail order flow? We are afraid not. As mentioned in our earlier discussion we can only rule out the liquidity provision hypothesis, under the assumption that the contrarian trading pattern captured by $mroib(contrarian)$ is a perfect proxy for the liquidity provision hypothesis. This seems to us to be a reasonable assumption, but as far as we can tell it cannot be directly confirmed by any data that we observe.¹⁷ In this subsection, we provide more results regarding the liquidity provision hypothesis through different approaches beyond the predictive regression.

important than lagged price pressure in equation (11). The coefficient on $mroib(w, contrarian)$ stays insignificant. The coefficient on $mroib(w, other)$ is 0.0006 with a t -statistic of 5.07, while the coefficient on $mroib(w-1, other)$ is 0.0008 with a t -statistic of 14.47 in Table VII Panel B. The residual component remains significant but becomes slightly smaller in this case.

¹⁶ To be more specific, the retail order imbalance has a low autocorrelation coefficient between 10-20%, but the positive autocorrelation lasts for a long period. Here the persistence refers to the long horizon rather than the magnitude.

¹⁷ For example, recent studies, such as Arif, Ben-Rephael and Lee (2016), and Chakrabarty, Moulton, and Trzcinka (2017), show that directional trading by active funds is highly persistent and price destabilizing. If the retail trades provide liquidity to these active funds, then liquidity provision can also go through the persistence channel, rather than the contrarian channel.

An important piece of evidence in support of the liquidity provision hypothesis in Kaniel, Saar, and Titman (2008) is the contemporaneous relation between marketable retail order imbalance and stock returns.¹⁸ To be more specific, Kaniel, Saar, and Titman (2008) examine the past, contemporaneous, and future returns of intense buy and sell portfolios of retail investors. In their paper, the buy and sell order flows by retail

measure. For each week, all firms are first sorted into decile groups using the previous-week NIT, and then Kaniel, Saar, and Titman (2008) track the excess returns to these different groups for the four weeks before and after the portfolio construction. The excess return of each portfolio is computed by subtracting the return on a market proxy (the equal-weighted portfolio of all stocks in the sample). Here we follow their approach, while using our marketable retail order flow measures, *mroibvol* and *mroibtrd*. Results using *mroibvol* are reported in Table VIII, and results using *mroibtrd* are reported in Appendix Table AV.

The main results of Kaniel, Saar and Titman (2008) are reported in their Table III, which contains three main findings. First, the stocks the retail investors sell during the portfolio construction week (week 0), the intense selling group, experience significantly positive excess return, before week 0; while the stocks the retail investors buy during week 0, the intense buying group, experience negative excess returns. This is a typical contrarian trading pattern of selling winners and buying losers. In Panel A of Table VIII, the first row contains the firms intensely sold by the retail investors using marketable orders, and the mean excess return in the 20 days prior to the selling week is 0.67%. The bottom row contains the firms intensely bought by retail investors using marketable orders, and the mean excess return on these stocks in the 20 days prior to the selling week is -1.29%. Both numbers are highly significant, and confirm Kaniel, Saar and

The second finding of Kaniel, Saar and Titman (2008) is that after retail investors buy or sell, the stocks the retail investors sell during week 0, the intense selling group, experience negative excess returns, while the stocks the retail investors buy during week 0, the intense buying group, experience positive excess returns. This shows that retail trading can predict returns in the correct direction. In Panel A of Table VIII, we find that firms intensely sold by retail investors using marketable orders (in the first row) experience a mean excess return in the 20 days after the selling

¹⁸ We thank an anonymous referee for this suggestion.

week of -0.30%, while the firms intensely bought by retail investors using marketable orders in the bottom row experience a mean excess return of 0.57%. Again, both numbers are highly significant and confirm Kaniel, Saar,

Finally, for the contemporaneous relation over week 0, Kaniel, Saar, and Titman (2008) find that the contemporaneous excess return is significantly *positive* for stocks retail investors *sell*, and *negative* for stocks they *buy*. Since the return signs are opposite of the retail trading direction, they interpret this finding in favor of the liquidity provision hypothesis. From the column of $k=0$ in Table VIII Panel A, however, we find that for firms intensely sold by retail investors using marketable orders, the contemporaneous return is significantly negative at -0.24% with a t -statistic of -5.30. For the intensely bought firms in the bottom row, the contemporaneous return is significantly positive at 0.11% with a t -statistic of 2.69. Our findings show consistent, rather than opposite, signs between contemporaneous marketable retail trading and return direction, which does not line up with the liquidity provision hypothesis proposed in Kaniel, Saar, and Titman (2008).

What might cause the

Our earlier results indicate that marketable retail order flows may contain valuable information about future stock price movements, which might be surprising to many. As Kaniel, Saar, and Titman (2008) note, *it is unclear how individuals, who have far fewer resources than institutions, could gain the upper hand in discovering private information and trading on it profitably in such a widespread fashion.*

Therefore, to better understand whether the marketable retail investors can be informed traders and the nature of information they might possess, we examine the relation between marketable retail order flow and public news in this section. We introduce the public news data in Section D.1, and investigate whether and how the information in marketable retail flow is related to public news in Section D.2.

D.1 Marketable Retail Order Imbalance and Future Returns across News Topics

We obtain news data from Thomson Reuters News Analytics (TRNA), which contains prominent public news articles for a broad set of firms starting from 2003. TRNA provides key information about each news item, such as the ticker, the time stamp of the news story, the news topics the story belongs to, and sentiment scores for each article. News topics are grouped into five categories: cross market, general news, economy, equities, and money/debt. Each category contains several news subtopics, and we collect 58 such subtopics in our sample. The sentiment score measures the probabilities of the article being positive, negative, or neutral, computed using . We compute a net sentiment score as the difference between the positive and negative sentiment score for each stock each day. The news data are available from January 2010 to December 2014, which covers most of our main sample. We use tickers to match the news data with our marketable retail order imbalance data, generating a merged sample of 3,854,813 stock-day observations.

We first provide some simple statistics for the relation among news, returns, and marketable retail order flow. To examine whether our measure of public news can predict future stock returns, we estimate the following Fama-MacBeth regression:

$$ret(i, w) = f_0(w) + f_1(w) \times sent(i, w - 1) + f_2(w)'controls(i, w - 1) + u_6(i, w).$$

Here, variable $sent(i, w - 1)$ is the average TRNA net sentiment score for firm i during week $w - 1$, calculated

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$$sent(i, w) = g0(w) + g1(w) \times mroib(i, w) + g2(w)'controls(i, w - 1) + u7(i, w).$$

We find that the current marketable retail order imbalance is significantly and positively related to the same-week public news sentiment in 10 out of the 58 subtopics. To save space, we present the coefficient estimates for the 10 cases in Panel B of Table IX. These 10 subtopics represent about 38% of total news days, and they mostly contain firm-level news

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Interestingly, the marketable retail order imbalances are never statistically significantly correlated with r . This finding implies that marketable retail investors may have valuable information at the firm level rather than at the market level. This is confirmed in some of our later results (Section III.A), where we find that retail investors cannot reliably predict future market-wide returns.

In Appendix Table AVI, we also examine whether retail order imbalance can directly predict our measure of public news. We find the coefficient signs to be mixed. In fact, there are several cases where marketable retail order flows significantly predict future public news sentiment with negative coefficients. This does not contradict our earlier results of a positive and

significant contemporaneous relation between marketable retail order flow and our measure of public news. This only shows that marketable retail flows cannot predict our measure of future public news with the expected signs for these subtopics.¹⁹ Using a joint test, we fail to reject the null that marketable retail order flow cannot jointly predict future public news.

D.2 Public Information and Other Information

The above results show that marketable retail order imbalances are associated with some types of contemporaneous public news, particularly firm-level news. In this subsection, we probe deeper into the fraction of marketable retail order flows that is associated with these public news releases, because it is also possible that marketable retail traders possess and trade on non-public information that eventually makes its way into prices, but not via an identifiable public news release.

We investigate this issue empirically using a two-step decomposition procedure similar to that in Section II.C. In the first step, we estimate a Fama-MacBeth regression and decompose the weekly order imbalance into four components for week $w-1$, as follows:

$$mroib(i, w-1) = h0(w-1) + h1(w)mroib(i, w-2) + h2(w-1)'ret(i, w-2) + h3(w-1)sent(i, w-1) + u8(i, w-1). \quad (14)$$

Here, variable $sent(i, w-1)$ is the average TRNA net sentiment score for firm i during week $w-1$, which we use to capture information in contemporaneous public news releases. After we obtain the time-series of coefficients, $\{\widehat{h0}(w-1), \widehat{h1}(w-1), \widehat{h2}(w-1)', \widehat{h3}(w-1)\}$, we define the following terms:

$$\begin{aligned} \widehat{mroib}_{i,w-1}^{persistence} &= \widehat{h1}(w-1)mroib(i, w-2), \\ \widehat{mroib}_{i,w-1}^{contrarian} &= \widehat{h2}(w-1)'ret(i, w-2), \\ \widehat{mroib}_{i,w-1}^{publicnews} &= \widehat{h3}(w-1)sent(i, w-1), \\ \widehat{mroib}_{i,w-1}^{other} &= \widehat{u8}(i, w-1) + \widehat{h0}(w-1). \end{aligned} \quad (15)$$

¹⁹ To give some context for why retail order flow does not show significant predictive power for future public sentiment in our sample, it could be that the public news we observe is noisy; it could be that the information the retail investors have does not warrant a specific news story; it could be that the public news is published further into the

The sum of the four components is exactly $mroib(i, w -$ denote the part
persistence component related to the price
pres the part related to past returns is denoted component,
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retail order flow, while contemporaneous public news sentiment very likely nests the information in past public news.

Table X Panel A provides results for the first-stage decomposition. The patterns of how past marketable retail order imbalance and past returns affect the current order imbalance are very similar to those in Table II. The coefficient on the contemporaneous public news sentiment ranges between 0.0249 and 0.0305, all with t -statistics higher than 10. This clearly indicates that more positive news is associated with more contemporaneous purchases by marketable retail investors. The average adjusted R^2 for the first stage estimation are mostly between 5.49% and 8.59%.

Panel B of Table X reports the results on the second-stage decomposition. From the top half, the coefficients on $\widehat{mroi}b_{i,w-1}^{persistence}$ are positive and highly significant, and the coefficients on $\widehat{mroi}b_{i,w-1}^{contrarian}$ are mostly insignificant, similar to the findings in Table VII. The coefficients on the public news components of order imbalance, $\widehat{mroi}b_{i,w-1}^{publicnews}$, also all insignificant, indicating that the contemporaneous public news component of marketable retail order imbalances does not help to predict future returns significantly.

marketable retail order imbalance measure is always positive and significant in the regressions. For instance, in the first regression, it has a coefficient of 0.0008 with a highly significant t -statistic of 13.98. This result is consistent with the hypothesis that marketable retail investors trade on information that is not incorporated into prices via the public news releases we measure. The bottom half panel shows that when we move from the 25th percentile firm to the 75th firm, the

component of the marketable retail order flow accounts for 0.07% to 0.10% of weekly return differences, which is more than half of the return difference that the marketable retail order imbalance can predict overall. These results suggest that either public news is noisy, the predictive power of marketable retail not related to an identifiable public news release, or the retail order imbalance is only related to public news releases in the more distant future.

Returning to the interesting question raised at the beginning of this subsection, how can retail investors using marketable orders, with far fewer resources than institutions, get the upper hand in discovering non-public information? Here we offer two possible explanations.

First, as an investor group, retail investors can be heterogeneous. For instance, it is possible that some individual investors might simply be endowed with non-public and valuable firm-specific information. These individuals might work in the same industry or for a customer or supplier and might naturally obtain value-relevant information in this way. They may also have some resources for information acquisition. For example, it may be possible for individuals to study the parking lots of retailers to assess demand growth. Farrell et al. (2020) provide evidence that some retail investors make use of valuable firm-level analysis contained in SeekingAlpha posts.

Second, our data only contains marketable retail market orders, but not retail limit orders. Retail limit orders could have opposite information, which would at least partially offset our findings for marketable retail market orders. In addition, it is not clear that the counterparties to marketable retail orders For example, Chakrabarty, Moulton, and Trzcinka (2017) document the presence of uninformed - institutional investors as a non-trivial part of the market.

III. Further Discussion

Marketable retail order imbalances can predict future stock returns. This predictive ability lasts up to eight weeks and is stronger for smaller and lower-priced firms. In this section, we discuss several related issues to put the marketable retail order imbalance predictive power in perspective. In Section III.A, we discuss whether marketable retail investors trading can predict the market overall movement. We look into potential contamination of the retail subpenny trades by dark pools, using subsample analysis in Section III.B. We examine whether the predictive power is related to overall market conditions in Section III.C. We investigate the predictive power of odd lot marketable retail orders in section III.D. Marketable retail trades occur with different sizes, and we examine the predictive power of large vs. small trade sizes in Section III.E. It is important to understand the role of wholesalers in this setup. Thus, Section III.F examines the magnitude of price improvement and the profitability of interacting with marketable retail order flow. We identify the nature of the information captured by marketable retail order flows by linking marketable retail order imbalances to earnings news in Section III.G. We examine whether marketable retail order imbalances can still predict future returns if we control for overall market

order imbalances in Section III.H. Finally, we examine the implicit assumption of price improvements in Section III.I. To save space, all returns in this section are bid-ask returns.

A. Aggregate Marketable Retail Order Imbalance

If marketable retail order imbalances can predict future stock returns in the cross section, retail investors using marketable orders may also be able to predict aggregate market moves. To investigate this possibility, we aggregate marketable retail order imbalances across all firms to predict aggregate stock market returns. We estimate the following equation:

$$mkt(w+1, w+k) = m0 + m1 \times aggmroib(w) + u10(w+1, w+k), \quad (17)$$

where $mkt(w+1, w+k)$ is the future k -week cumulative market return from week $w+1$ to week $w+k$, and $aggmroib(w)$ is the current aggregated marketable retail order imbalance measure for week w . We compute $aggmroib$ using either value-weighted or equal-weighted $mroibvol$ or $mroibtrd$ measures. The results are shown in Table XI Panel A. They are the same regardless of the weighting scheme or order imbalance measure: there is no evidence that marketable retail order flows can reliably predict future market returns.

Our approach can also be used to identify the marketable retail order flow in exchange-traded funds (ETFs). In Table XI Panel B, we examine marketable retail order flow in a large cross section of ETFs over the same time period. In cross-sectional predictive regressions of the form in equation (6), the coefficient is mostly around or below one basis point, which is much smaller than the comparable coefficients shown in Table III, and the t -statistics are mostly insignificant. This result suggests that marketable retail order flows cannot predict sector returns or overall equity market returns. To separate sector-oriented information from broader market-wide information, we select the six largest ETFs that focus on the overall U.S. equity market by tracking comprehensive U.S. equity indexes: SPY, IVV, VTI, VOO, IWM, and IWB. The results are reported in the last row of Panel B. Consistent with the market timing results in Panel A, we find little evidence that marketable retail order flow can predict future returns on broad equity market ETFs.

B. Subsample Analysis

As mentioned in the data section, from 2008 and into 2011, a few dark pool operators were accused of violating Regulation NMS in accepting, ranking, and executing subpenny trades and were eventually fined by the SEC. These questionable dark pool trades account for about 0.5% of total share volume during this period. Since these dark pools mainly cater to institutions, our identify which trades are from the affected dark pools. In this subsection, we conduct a robustness check using subsamples, and examine whether our main results hold for both the subsample and a later subsample that is not contaminated by these dark pool subpenny practices.

To be more specific, we re-estimate the key results in Table III, for subsamples 2010-2012 and 2013-2015. For comparison, in Table III, we find that the marketable retail order flow can predict future stock return, with a regression coefficient of 0.0009, a t -statistic of 15.60, and an interquartile weekly return difference of 10.89 bps. In Table XI Panel C, for the subsample of 2010-2012, the coefficient on marketable retail order is 0.0010, with a t -statistic of 11.52, and an interquartile weekly return difference of 12.13bps. For the subsample of 2013-2015, the coefficient on retail order becomes 0.0009, with a t -statistic of 10.57, and an interquartile weekly return difference of 9.74 bps. We also test whether the coefficients from the two subperiods are significantly different from each other. For the $mroib(w-I)$ coefficients in regression I and II, the difference is 0.0001, with a t -statistic of 1.85; for the coefficients in regression III and IV, the difference is 0.0001, with a t -statistic of 0.67. Therefore, we cannot reject the hypothesis that the coefficients from these two subperiods are the same.

We draw two observations from this exercise. First, the predictive power of retail order h shows that our results are robust. Second, we cannot reject the hypothesis that the relevant coefficients from these two subperiods are the same. In addition, even during the earlier subperiod, we believe that fewer than 10% of all subpenny trades are misclassified as retail. For these reasons, we choose to use the whole 2010-2015 sample period to conduct our main analysis.

C. Market Conditions

Barrot, Kaniel, and Srear (2016) find that marketable retail trades contain more information when markets are volatile, specifically when the VIX option-implied volatility index is high. Their sample spans from 2002 to 2010, during which the VIX experiences dramatic changes. In contrast,

our sample period is 2010 to 2015, where the VIX is far less volatile. Nevertheless, we divide our sample in half: one portion when VIX is higher than the historical median of 18% and the other when the VIX is below this historical median.

We re-estimate equation (6) for the high- and low-VIX subsamples. The results are presented in Panel D of Table XI. Comparing the low- and high-VIX regimes, we find that the coefficient on *mroibvol* is quite similar, yet the *t*-statistic is higher when VIX is low than when it is high. This result might not be surprising, given that the volatility of all variables increases when VIX is high. Overall, the predictive power in both high- and low-VIX regimes is positive and significant.

D. Odd Lots

In this section, we investigate the behavior of odd lot marketable retail trades over the post-December 2013 period when odd lot transactions are reported to the consolidated tape. Can odd lot marketable retail order flow predict future firm-level returns? We estimate regression (6) using odd lot marketable retail order imbalances and present the results in Table XI Panel E. Both coefficients are positive but not statistically significant. In Appendix Table AVII, we find that daily odd lot order imbalance measures can significantly predict returns for the next trading day but not at longer horizons than that. We conclude that the odd lot marketable retail order imbalance predictive power is much weaker than that of the overall marketable retail order imbalance.

E. Order Sizes

As Figure 1 Panel A shows, a median market order submitted by a retail investor is around \$7,000. The median marketable retail trade is about 400 shares. The stealth trading literature argues that medium-size orders are more likely to be informed and that large orders are usually broken into smaller orders.

To determine if information content differs according to order size, we partition the orders into large vs. small groups using 400 shares as the cutoff, and we estimate the predictive regression for each group separately. The results are reported in Table XI Panel F. We find that both large and small orders predict future stock returns, but

Our results suggest that more informed marketable retail investors may demand immediacy by

using larger market orders and that stealth trading does not seem to characterize the trading of retail investors who use marketable orders.

F. Profitability of Marketable Retail Order Flow

If marketable retail order flow is sufficiently informed, trading with these orders would be unprofitable. This might raise the question of whether our results are consistent with the apparently profitable business model of internalizers and wholesalers. Ultimately, as long as the information content of marketable retail order flow is less than the bid-ask spread being charged, internalizers and wholesalers on average can still earn positive revenues by trading with these orders. For example, if a marketable retail buy and a marketable retail sell order arrive at the same time, they offset each other, and a wholesaler earns the full bid-ask spread charged (the quoted spread less the price improvement given). Ultimately, internalizers and wholesalers are only exposed to adverse selection on marketable retail order imbalances. The summary statistics in Table I show that there is a substantial amount of offsetting marketable retail order flow. The interquartile range for the volume-based daily order imbalance measure is from -0.301 to 0.217, indicating that, even at the ends of these ranges, more than two-thirds of the marketable retail order flow in such a stock on a given day is offsetting buys and sells.

To get a better sense of the profitability of interacting with marketable retail order flow, we compute standard microstructure information-content measures for the marketable retail trades in our sample. Specifically, we calculate proportional effective spreads, one-minute price impacts, and one-minute realized spreads for all marketable retail buys and sells during 2015. Realized spreads are a standard proxy for trading revenue earned by a liquidity provider such as a wholesaler. We apply standard data filters, eliminating all trades where effective spreads exceed \$1, and we calculate dollar-volume weighted averages across all stocks. We find that the mean effective half-spread is 16 basis points. The one-minute price impact is four basis points, leaving a realized half-spread of 12 basis points. In other words, interacting with our identified marketable retail order flow appears to be profitable (at least before other costs) for the wholesalers/internalizers because the bid-ask spreads are sufficiently large. The liquidity provider (in this case, the wholesaler or internalizer) loses about four basis points (the price impact) of the bid-ask spread to short-term price moves, but this leaves about 12 basis points (the realized spread) of the bid-ask spread as average trading revenue to the liquidity provider. Note that the realized

the . The regression results for the cross-section of future returns are shown in Table XI Panel G. For the less price improvement type, the coefficients range from 0.0004 to 0.0007, both with t -statistics above 5. For the more price improvement type, the coefficients range from 0.0001 to 0.0002, both with t -statistics below 4. Clearly, both sets of marketable retail order imbalances have predictive power for future stock returns, but the marketable retail trades with less price improvement have stronger predictive power, indicating that internalizers/wholesalers successfully price-discriminate against marketable retail orders with potentially more information content. Similar to the presence of large realized spreads, this observation also supports the viability of the business model, particularly for internalizers and wholesalers who can successfully distinguish between more- and less-informed order flows.

G. Earnings Announcements and Marketable Retail Order Flow

Kelley and Tetlock (2013) use the Dow Jones news archive to identify whether marketable retail order flows are informed about cash flow news, and find that marketable retail market orders can predict earnings surprises.

Here, we examine whether marketable retail order flow becomes more predictive around earnings news. Specifically, we estimate a variant of equation (6) that allows the predictive relationship to differ based on the variable $eventday$, an indicator that takes a value of 1 if day t is an earnings announcement day and zero otherwise. The results are shown in Table XI Panel H. They show that the predictive power of marketable retail order flow is greater on announcement days, but the difference is not statistically significant. In Appendix Table AVIII, we directly replicate the results in Kelley and Tetlock (2013), and find that our marketable retail order flows can predict earnings news positively. The predictive power is statistically significant at the 1-day

results. The difference may be attributable to the different samples periods and coverage we use. While we cover all subpenny trades for most stocks over the 2010 to 2015 period, Kelley and Tetlock cover about 1/3 of all marketable retail trades between 2003 and 2007.

H. Controlling for Overall Order Imbalances

Previous studies such as Chordia and Subrahmanyam (2004) find that overall order imbalances (calculated using all reported transactions, including individual and institutional types) can predict future stock returns. We use the Lee-Ready algorithm to compute the overall order

imbalance from TAQ data. In our dataset, overall order imbalances and marketable retail order imbalances are significantly correlated at around 30%. An interesting question is whether overall and marketable retail order imbalances are relatively orthogonal to each other: Specifically, if we control for the overall order imbalance, can the marketable retail order imbalance still predict future stock returns?

We proceed in two steps to address this question and report the results in Table XI Panel I. In the first step, we re-estimate equation (6) using the overall order imbalance from the previous week rather than marketable retail order imbalance as a key predicting variable. Consistent with the literature, we find that overall order imbalances significantly predict future stock returns, with a coefficient of 0.0004 and a significant t -statistic of 3.32.

In the second step, we estimate equation (6) using the marketable retail order imbalance variables as key predicting variables, and include the overall order imbalance as a control. With both marketable retail and market order imbalances in the model, marketable retail imbalances are significantly positive, and they completely drive out the effect of overall order imbalances. Thus, the predictive power of the marketable retail order imbalance seems to be stronger than that of the overall order imbalance measure.

Here, we want to be cautious about the interpretation in the sense that this finding does not necessarily indicate that the retail order flow that we identify is more informed than order flow from institutional investors. First, due to different calculation methods for the two measures, the difference between the overall *oib* and the marketable retail order imbalance is not the order imbalance from institutional investors. Second, we only calculate the order flow from marketable retail orders, which accounts for about half of the trades from retail investors, and the overall *oib* weaker predictive power might be partially a result of uninformed trading by other participants in the market.

I. When the Effective Spread is Less Than 1 Cent

Our identification for buy and sell orders relies on the implicit assumption that price improvements are always a small fraction (less than half) of a cent. If price improvements are larger, our method may not correctly sign trades. For example, if a stock has a bid price of \$50.01 and an ask price of \$50.04, and a marketable retail market buy order arrives and is improved by 0.75 cents, the reported transaction price would be \$50.0325, and our trade-signing approach

would erroneously conclude that this is a sell order. We investigate

order imbalances by about 10 basis points, which is on the order of 5% annualized. This predictability extends to about 12 weeks before dying off. Through an empirical decomposition exercise, we attribute less than half of the predictive power of marketable retail order imbalances

and potential liquidity provision by marketable retail

The remainder of the predictive power (over half of it) is consistent with the hypothesis that the marketable retail order flow contains valuable information about future returns. Concerning the information content of the marketable retail trades, we provide some suggestive evidence that marketable retail order flows contain relevant information about short-term future earnings news that is not yet incorporated into price, but our examination of a standard news database does not find evidence that our retail investors can anticipate that particular set of future public news.

An important advantage of our method is that it is based on widely available intraday transaction data: Anyone with access to TAQ can easily identify marketable retail buys and sells using our approach. Our approach has many possible research applications. For example, future researchers can investigate certain behavioral biases to determine whether individual traders as a group exhibit them. Another possibility is studying the seasonality and time-series variation of marketable retail order flow, including tax-related and calendar-driven trading, as well as activity around corporate events, such as dividends, stock splits, and equity issuance.²⁰

²⁰ Our measure is already used in a few studies. For instance, Farrell et al. (2020) find our retail order imbalances are roughly twice as high on days with SeekingAlpha posts. Israeli, Kasznik, and Sridharan (2019) use our methodology to identify retail investor trading and then use abnormal retail trading volume and Bloomberg searches as specific measures of retail and institutional investor attention.

REFERENCES

- Arif, Salman and Ben-Rephael, Azi and Lee, Charles M.C., 2016, Short-Sellers and Mutual Funds: Why Does Short-Sale Volume Predict Stock Returns? Working Paper.
- Barber, Brad M., and Terrance Odean, 2000, Trading is hazardous to your wealth: The common stock investment performance of individual investors, *Journal of Finance* 55, 773–806.
- Barber, Brad M., and Terrance Odean, 2008, All that glitters: The effect of attention and news on the buying behavior of individual and institutional investors, *Review of Financial Studies* 21, 785–818.
- Barber, Brad M., Terrance Odean, and Ning Zhu, 2009, Do retail trades move markets? *Review of Financial Studies*
- Barrot, Jean-Noel, Ron Kaniel, and David Alexandre Sraer, 2016, Are Retail Traders Compensated for Providing Liquidity? *Journal of Financial Economics* 120, 146–168.
- Battalio, Robert, Shane A. Corwin, and Robert Jennings, 2016, Can Brokers Have It All? On the Relation between Make-Take Fees and Limit Order Execution Quality, *Journal of Finance* 71, 2193–2238.
- Blume, Marshall E., and Robert F. Stambaugh, 1983, Biases in Computed Returns: An Application to the Size Effect, *Journal of Financial Economics* 12, 387–404.
- Boehmer, Ekkehart, Charles M. Jones, and Xiaoyan Zhang, 2008. Which Shorts Are Informed? *Journal of Finance* 63, 491–527.
- Campbell, John Y., Tarun Ramadorai, and Allie Schwartz, 2009, Caught on tape: Institutional Trading, Stock Returns, and Earnings Announcements, *Journal of Financial Economics*, 92(1), 66–91.
- Chakrabarty, Bidisha, Pamela C. Moulton, and Charles Trzcinka, 2017, The Performance of Short-Term Institutional Trades. *Journal of Financial and Quantitative Analysis* 52.4 (2017), 1403–1428.
- Chordia, Tarun, and Avanidhar Subrahmanyam, 2004, Order Imbalance and Stock Returns: Theory and Evidence, *Journal of Financial Economics*
- Chordia, Tarun, Sahn-Wook Huh, and Avanidhar Subrahmanyam, 2007, The Cross-Section of Expected Trading Activity, *Review of Financial Studies* 20, 709–740.
- Fama, Eugene F., and James D. MacBeth, 1973, Risk, Return, and Equilibrium: Empirical Tests, *Journal of Political Economy*

Farrell, Michael and Green, T. Clifton and Jame, Russell and Markov, Stanimir, 2020, The Democratization of Investment Research and the Informativeness of Retail Investor Trading. Working Paper.

Fong, Kingsley YL, David R. Gallagher, and Adrian D. Lee, 2014, Individ

Table I. Summary Statistics

This table reports summary statistics of our measure of marketable retail investor trading activity. Our sample period covers January 2010 to December 2015, and our sample firms are common stocks listed on all U.S. stock exchanges with a share price of at least \$1. Across all stocks and all days, we report the pooled sample mean for the daily number of shares traded (*vol*), marketable retail buy volume (*mrsvol*), marketable retail sell volume (*mrsvol*), number of trades (*trd*), marketable retail buy trades (*mrbrtd*), marketable retail sell trades (*mrstrd*), as well as their odd lot counterparts (prefix *odd*). Odd lot measures are available starting at the end of 2013. We include odd lot-related data starting January 2014. We compute order imbalance measures (variables containing *mroib*) as in equations (1) to (4).

| | N | Mean | Std | Median | Q1 | Q3 |
|-------------------------|-----------|-----------|-----------|---------|--------|---------|
| Round lots and odd lots | | | | | | |
| Vol | 4,628,957 | 1,229,004 | 6,849,849 | 221,234 | 51,768 | 819,615 |
| Trd | 4,628,957 | 5,917 | 13,909 | 1,505 | 312 | 5,502 |
| Mrbvol | 4,628,957 | 42,481 | 280,474 | 5,165 | 1,200 | 20,681 |
| Mrsvol | 4,628,957 | 42,430 | 264,704 | 5,635 | 1,369 | 21,828 |
| Mrbtrd | 4,628,957 | 110 | 410 | 22 | 5 | 79 |
| Mrstrd | 4,628,957 | 108 | 355 | 24 | 6 | 81 |
| Mroibvol | 4,628,957 | -0.038 | 0.464 | -0.027 | -0.301 | 0.217 |
| Mroibtrd | 4,628,957 | -0.032 | 0.437 | -0.010 | -0.276 | 0.205 |
| Odd lots only | | | | | | |
| Oddvol | 1,446,749 | 6,561 | 20,141 | 1,811 | 629 | 5,250 |
| Oddtrd | 1,446,749 | 222 | 669 | 64 | 21 | 186 |
| Oddmrsvol | 1,446,749 | 1,108 | 5,054 | 211 | 58 | 690 |
| Oddmrsvol | 1,446,749 | 968 | 3,488 | 210 | 62 | 663 |
| Oddmrbrtd | 1,446,749 | 37 | 171 | 7 | 2 | 23 |
| Oddmrstrd | 1,446,749 | 33 | 114 | 7 | 2 | 23 |
| Oddmroibvol | 1,446,749 | -0.004 | 0.559 | 0.014 | -0.338 | 0.331 |
| Oddmroibtrd | 1,446,749 | -0.017 | 0.506 | 0.000 | -0.290 | 0.250 |

Table II. Determinants of Marketable Retail Order Imbalances

This table reports determinants of retail investor trading activity. Our sample period covers January 2010 to December 2015, and our sample firms are all common stocks listed on U.S. stock exchanges with a share price of at least \$1. We estimate Fama-MacBeth regressions as specified in equation (5). The dependent variables are two scaled marketable retail order imbalance measures: *mroibvol* (based on the number of shares traded) and *mroibtrd* (based on the number of trades). As independent variables, we include the previous-week return, $ret(w-1)$, previous-month return, $ret(m-1)$, and previous 6-month return, $ret(m-7, m-2)$. We compute the weekly returns in two ways: using the end-of-day bid-ask average price or the CRSP closing price. The control variables are monthly turnover (*lmto*), monthly volatility of daily returns (*lvol*), log market cap (*size*), and log book-to-market ratio (*lbm*), all measured at the end of the previous month. To account for serial correlation in the coefficients, the standard errors of the time-series are adjusted using Newey-West (1987) with six lags.

| Reg | I | | II | | III | | IV | |
|--------------|----------------|--------|-------------|--------|----------------|--------|-------------|--------|
| Dep.var | Mroibvol | | Mroibvol | | Mroibtrd | | Mroibtrd | |
| Return | Bid-ask return | | CRSP return | | Bid-ask return | | CRSP return | |
| | Coef. | t-stat | Coef. | t-stat | Coef. | t-stat | Coef. | t-stat |
| Intercept | -0.4013 | -20.03 | -0.4065 | -20.19 | -0.4326 | -22.00 | -0.4357 | -22.01 |
| Mroib(w-1) | 0.2200 | 92.53 | 0.2201 | 92.57 | 0.2865 | 150.01 | 0.2866 | 150.06 |
| Ret(w-1) | -0.9481 | -40.60 | -0.9620 | -41.43 | -0.9003 | -35.92 | -0.9156 | -36.74 |
| Ret(m-1) | -0.2778 | -19.24 | -0.2784 | -19.30 | -0.2258 | -14.84 | -0.2262 | -14.87 |
| Ret(m-7,m-2) | -0.0586 | -11.49 | -0.0584 | -11.46 | -0.0380 | -6.50 | -0.0378 | -6.48 |
| Lmto | 0.0003 | 5.31 | 0.0003 | 5.19 | 0.0002 | 3.93 | 0.0002 | 3.83 |
| Lvol | 0.8100 | 8.37 | 0.8478 | 8.79 | 0.4366 | 4.24 | 0.4633 | 4.51 |
| Size | 0.0154 | 12.06 | 0.0157 | 12.31 | 0.0209 | 16.37 | 0.0211 | 16.48 |
| Lbm | -0.0275 | -17.66 | -0.0274 | -17.61 | -0.0274 | -18.09 | -0.0273 | -18.05 |
| Adj.R2 | 6.00% | | 6.01% | | 9.49% | | 9.50% | |

Table III. Predicting Next-week Returns Using Marketable Retail Order Imbalances

This table reports estimation results on whether retail investor trading activity can predict the cross-section of one-week-ahead returns. Our sample period covers January 2010 to December 2015, and our sample firms are all common stocks listed on U.S. stock exchanges with a share price of at least \$1. We estimate Fama-MacBeth regressions as specified in equation (6). The dependent variable is weekly individual stock returns, computed in two ways: using end-of-day bid-ask average price or CRSP closing price. The independent variables are two scaled marketable retail order imbalance measures: *mroibvol* (based on the number of shares traded) and *mroibtrd* (based on the number of trades). As independent variables, we include the previous-week return, *ret(w-1)*, previous-month return, *ret(m-1)*, and previous 6-month return, *ret(m-7, m-2)*. The control variables are log book-to-market ratio (*lbm*), log market cap (*size*), monthly turnover (*lmt*), and monthly volatility of daily returns (*lvol*), all measured at the end of the previous month. To account for serial correlation in the coefficients, the standard errors of the estimated coefficients are adjusted using Newey-West (1987) with five lags.

| Reg | I | II | III | IV |
|-----------------|----------------|-------------|----------------|----------|
| Order imbalance | Mroibvol | Mroibvol | Mroibtrd | Mroibtrd |
| Dep.var | Bid-ask return | CRSP return | Bid-ask return | |

Table IV.

Table V. Predicting Returns k-weeks Ahead

This table reports estimation results on whether marketable retail investor trading activity can predict the cross-section of stock returns at more distant horizons. Our sample period covers January 2010 to December 2015, and our sample firms are all common stocks listed on U.S. stock exchanges with a share price of at least \$1. We estimate Fama-MacBeth regressions, as specified in equation (7). The dependent variable is the weekly individual stock return n-weeks ahead, computed in two ways: using the end-of-day bid-ask average price (Panel A) or CRSP closing price (Panel B). The independent variables are two scaled marketable retail order imbalance measures, *mroibvol* (based on the number of shares traded) or *mroibtrd* (based on the number of trades), respectively. To account for serial correlation in the coefficients, the standard deviations of the time-series are adjusted using Newey-West (1987) with five lags. Control variables are the same as those in Table 3; those coefficients are not reported.

Panel A. Predict bid-ask average return k weeks ahead

| # of weeks ahead | Mroibvol | | Mroibtrd | |
|------------------|----------|--------|----------|--------|
| | Coef. | t-stat | Coef. | t-stat |
| 1 week | 0.00092 | 15.60 | 0.00076 | 12.30 |
| 2 weeks | 0.00055 | 9.35 | 0.00048 | 7.89 |
| 4 weeks | 0.00031 | 5.56 | 0.00026 | 4.66 |
| 6 weeks | 0.00022 | 3.90 | 0.00015 | 2.60 |
| 8 weeks | 0.00021 | 3.47 | 0.00011 | 1.75 |
| 10 weeks | 0.00010 | 1.82 | 0.00002 | 0.35 |
| 12 weeks | 0.00007 | 1.29 | 0.00009 | 1.52 |

Panel B. Predict CRSP return k weeks ahead

| # of weeks ahead | Mroibvol | | Mroibtrd | |
|------------------|----------|--------|----------|--------|
| | Coef. | t-stat | Coef. | t-stat |
| 1 week | 0.00096 | 16.29 | 0.00081 | 13.20 |
| 2 weeks | 0.00058 | 9.99 | 0.00052 | 8.57 |
| 4 weeks | 0.00032 | 5.92 | 0.00028 | 5.05 |
| 6 weeks | 0.00024 | 4.18 | 0.00017 | 2.93 |
| 8 weeks | 0.00021 | 3.50 | 0.00011 | 1.80 |
| 10 weeks | 0.00011 | 2.04 | 0.00005 | 0.81 |
| 12 weeks | 0.00008 | 1.39 | 0.00010 | 1.76 |

Table VI. Long-short Strategy Returns Based on Marketable Retail Order Imbalances

This table reports portfolio returns using a long-short strategy wherein we buy the stocks in the highest quintile of scaled marketable retail order imbalance, and we short the stocks in the lowest scaled marketable retail order imbalance quintile. The order imbalance is computed during the previous week. Our sample period covers January 2010 to December 2015, and our sample firms are all common stocks listed on U.S. stock exchanges with a share price of at least \$1. Portfolio returns are value-weighted, and market cap terciles are based on the previous month-end market cap. Because the holding period can be as long as 12 weeks, we report both the raw returns and risk-adjusted returns using the Fama-French three-factor model. As our data are overlapping, we adjust the standard errors of the portfolio return time-series using Hansen-Hodrick (1980) standard errors with the corresponding number of overlapping lags.

Panel A. Form portfolios on the previous week marketable retail order imbalance based on number of shares traded

| Holding Period | Whole sample | | | | Small | | Medium | | Big | |
|-------------------|--------------|--------|--------|--------|--------|--------|--------|--------|--------|--------|
| | Mean | t-stat | alpha | t-stat | alpha | t-stat | alpha | t-stat | alpha | t-stat |
| 1 week | 0.092% | 2.66 | 0.084% | 2.43 | 0.403% | 9.16 | 0.170% | 6.24 | 0.067% | 1.78 |
| 2 weeks | 0.147% | 2.45 | 0.135% | 2.46 | 0.669% | 9.01 | 0.292% | 6.81 | 0.105% | 1.70 |
| 4 weeks | 0.223% | 1.89 | 0.208% | 2.00 | 1.124% | 10.43 | 0.423% | 6.36 | 0.143% | 1.22 |
| 6 weeks | 0.310% | 1.72 | 0.277% | 1.73 | 1.399% | 13.02 | 0.558% | 6.07 | 0.171% | 1.05 |
| 8 weeks | 0.448% | 1.92 | 0.460% | 2.26 | 1.709% | 17.13 | 0.623% | 4.18 | 0.342% | 1.69 |
| 10 weeks | 0.515% | 1.99 | 0.484% | 1.81 | 1.704% | 11.17 | 0.578% | 3.87 | 0.381% | 1.53 |
| 12 weeks | 0.588% | 2.09 | 0.629% | 1.89 | 1.857% | 7.65 | 0.556% | 3.20 | 0.477% | 1.48 |

Table VII. Predictability Decomposition

This table reports estimation results on a decomposition of marketable retail order imbalance on the cross-section of future stock returns. Our sample period covers January 2010 to December 2015, and our sample firms are all common stocks listed on U.S. stock exchanges with a share price of at least \$1. We estimate two-stage Fama-MacBeth regressions. Panel A reports the first-stage estimation results, where the order imbalance measures are decomposed into three components, as specified in equation (8). Panel B reports the second-stage estimation results, where the order imbalance measures are decomposed into three components, as specified in equation (9). The order imbalance measures are computed in two ways: using end-of-day bid-ask average price or CRSP closing price. The scaled marketable retail order imbalance measures are *mroibvol* (based on the number of shares traded) and *mroibtrd* (based on the number of trades). The variable *mroib(w-1, persistence)* is estimated in the first stage using past order imbalance and reflects price pressure. The variable *mroib(w-1, contrarian)* is estimated in the first stage using past returns over different horizons and is connected to the liquidity provision hypothesis. The residual part of the previous-week order imbalance from the first-stage regression, *mroib(w-1, residual)*, can be attributed to private information about future returns on the part of these marketable retail investors. As additional control variables, we include previous-week return, *ret(w-1)*, previous-month return, *ret(m-1)*, and previous 6-month return, *ret(m-7, m-2)*. The control variables are log book-to-market ratio (*lbm*), log market cap (*size*), monthly turnover (*lmto*), and monthly volatility of daily returns (*lvol*), all measured at the end of the previous month. To account for serial correlation in the coefficients, the standard errors of the time-series are adjusted using Newey-West (1987) with five lags.

Panel A. First stage of projecting order imbalance on persistence and past return

| Reg | I | | II | | III | | IV | |
|--------------|----------------|--------|---------------|--------|----------------|--------|---------------|--------|
| Dep.var | Mroibvol(w-1) | | Mroibvol(w-1) | | Mroibtrd(w-1) | | Mroibtrd(w-1) | |
| Return | Bid-ask return | | CRSP return | | Bid-ask return | | CRSP return | |
| | Coef. | t-stat | Coef. | t-stat | Coef. | t-stat | Coef. | t-stat |
| Intercept | -0.1413 | -24.66 | -0.1408 | -24.61 | -0.1054 | -17.23 | -0.1049 | -17.19 |
| Mroib(w-2) | 0.2227 | 96.20 | 0.2228 | 96.20 | 0.2906 | 149.82 | 0.2907 | 149.85 |
| Ret(w-2) | -0.9286 | -38.93 | -0.9422 | -39.80 | -0.8926 | -34.92 | -0.9076 | -35.81 |
| Ret(m-1) | -0.2029 | -13.93 | -0.2025 | -13.90 | -0.1591 | -10.72 | -0.1588 | -10.70 |
| Ret(m-7,m-2) | -0.0267 | -4.98 | -0.0268 | -4.99 | -0.0054 | -0.86 | -0.0055 | -0.88 |
| Adj.R2 | 5.62% | | 5.63% | | 8.99% | | 9.00% | |

| S | # | 0 | # | # | # | # | # | # |
|------------------------|-----------------------|-------------|-----------------------|-------------|-----------------------|-------------|-----------------------|-------------|
| Reg | I | | II | | III | | IV | |
| Order Imbalance | Mroibvol(w) | | Mroibvol(w) | | Mroibtrd(w) | | Mroibtrd(w) | |
| Dep.var | Bid-ask return | | CRSP return | | Bid-ask return | | CRSP return | |
| | Coef. | t-stat | Coef. | t-stat | Coef. | t-stat | Coef. | t-stat |
| Intercept | 0.0046 | 2.25 | 0.0052 | 2.54 | 0.0046 | 2.23 | 0.0052 | 2.52 |
| Mroib(w-1,persistence) | 0.0027 | 8.75 | 0.0029 | 9.41 | 0.0018 | 7.80 | 0.0019 | 8.56 |
| Mroib(w-1,contrarian) | -0.0044 | -0.42 | -0.1310 | -1.46 | -0.0073 | -0.73 | 0.0328 | 1.62 |
| Mroib(w-1,other) | 0.0008 | 14.47 | 0.0009 | 15.48 | 0.0006 | 10.51 | 0.0007 | 11.64 |
| Ret(w-1) | -0.0176 | -5.41 | -0.0206 | -6.27 | -0.0177 | -5.45 | -0.0207 | -6.30 |
| Ret(m-1) | -0.0060 | -0.67 | 0.0002 | 0.03 | 0.0017 | 0.56 | 0.0093 | 1.13 |
| Ret(m-7,m-2) | -0.0009 | -0.65 | -0.0127 | -1.12 | 0.0017 | 0.95 | -0.0008 | -0.34 |
| Lmto | 0.0000 | -3.49 | 0.0000 | -3.80 | 0.0000 | -3.48 | 0.0000 | -3.78 |
| Lvol | -0.0230 | -1.48 | -0.0231 | -1.50 | -0.0224 | -1.44 | -0.0225 | -1.46 |
| Size | -0.0001 | -0.61 | -0.0001 | -0.67 | -0.0001 | -0.65 | -0.0001 | -0.72 |
| Lbm | -0.0001 | -0.46 | 0.0000 | -0.14 | -0.0001 | -0.56 | -0.0001 | -0.23 |
| Adj.R2 | 4.26% | | 4.27% | | 4.25% | | 4.26% | |
| | Int quartile range | return diff | Int quartile range | return diff | Int quartile range | return diff | Int quartile range | return diff |
| Mroib(w-1,persistence) | 0.2591 | 0.0688% | 0.2593 | 0.0739% | 0.3498 | 0.0620% | 0.3500 | 0.0679% |
| Mroib(w-1,contrarian) | 0.0627 | -0.0277% | 0.0631 | -0.8265% | 0.0614 | -0.0445% | 0.0619 | 0.2031% |
| Mroib(w-1,other) | 1.1141 | 0.0915% | 1.1141 | 0.0977% | 1.1326 | 0.0718% | 1.1327 | 0.0792% |

Table VIII. Marketable Retail Order Imbalance and Contemporaneous Returns, Replicating KST Table III using mroibvol

This table presents analysis of market-adjusted returns around net buying and selling activity as given by our scaled marketable retail order imbalance measure *mroibvol* (based on the number of shares traded). The sample extends from Jan 2010 to Dec 2015. For each (non-overlapping) week in the sample period, we aggregate the daily order imbalance measures to weekly to form *Mroib* deciles. Each stock is put into 1 of 10 deciles according to the *Mroib* value in the current week. Decile 1 contains the stocks with the most net selling (negative *Mroib*) while decile 10 contains the stocks with the most net buying (positive *Mroib*). We present the results for four portfolios: (i) decile 1, (ii) deciles 1 and 2, (iii) deciles 9 and 10, and (iv) decile 10. Let k be the number of days prior to or following the portfolio formation each week. In Panel A, we calculate eight cumulative return numbers for each of the stocks in a portfolio: $CR(t - k, t - 1)$, where $k \in \{20, 15, 10, 5\}$ days and t is the first day of the formation week, and $CR(t + 1, t + k)$, where $k \in \{5, 10, 15, 20\}$ days and t is the last day of the formation week. The return on each portfolio is then adjusted by subtracting the return on a market proxy (the equal-weighted portfolio of all stocks in the sample). We present the time-series mean and t -statistic for each market-adjusted cumulative return measure and for the market-adjusted return during the intense trading week ($k=0$). In Panel B, we present the time-series mean and t -statistic for weekly market-adjusted returns in the 4 weeks around the formation week (i.e., $CR(t - k, t - k + 4)$, where $k \in \{20, 15, 10, 5\}$ days and t is the first day of the formation week, and $CR(t + k - 4, t + k)$, where $k \in \{5, 10, 15, 20\}$ and t is the last day of the formation week). ** indicates significance at 1% level and * indicates significance at 5% level (both against a two-sided alternative). The t -statistic is computed using Newey-West standard errors.

Panel A. Cumulative market-adjusted return

| Mroibvol Bid-ask return | Intense Selling (decile 1) | | Selling (decile 1&2) | | Buying (decile 9&10) | | Intense Buying (decile10) | |
|----------------------------|-------------------------------|--------|-------------------------|--------|-------------------------|--------|------------------------------|--------|
| | Mean | t-stat | Mean | t-stat | Mean | t-stat | Mean | t-stat |
| k=-20 | 0.0067** | 5.48 | 0.0063** | 8.10 | -0.0111** | -19.00 | -0.0129** | -12.49 |
| k=-15 | 0.0056** | 5.62 | 0.0055** | 8.71 | -0.0096** | -20.87 | -0.0109** | -12.91 |
| k=-10 | 0.0041** | 5.40 | 0.0042** | 9.04 | -0.0074** | -20.83 | -0.0084** | -12.93 |
| k=-5 | 0.0027** | 6.06 | 0.0028** | 10.07 | -0.0047** | -24.09 | -0.0053** | -15.62 |
| k=0 | -0.0024** | -5.30 | -0.0019** | -5.65 | 0.0011** | 4.02 | 0.0011** | 2.69 |
| k=5 | -0.0016** | -3.89 | -0.0012** | -5.07 | 0.0018** | 9.58 | 0.0024** | 6.99 |
| k=10 | -0.0023** | -3.16 | -0.0018** | -4.35 | 0.0028** | 8.38 | 0.0036** | 5.89 |
| k=15 | -0.0025* | -2.45 | -0.0022** | -3.97 | 0.0036** | 8.39 | 0.0046** | 5.51 |
| k=20 | -0.0030* | -2.36 | -0.0025** | -3.63 | 0.0043** | 8.89 | 0.0057** | 5.74 |

Panel B. Weekly market-adjusted return

| Mroibvol Bid-ask return | Intense Selling (decile 1) | | Selling (decile 1&2) | | Buying (decile 9&10) | | Intense Buying (decile10) | |
|----------------------------|-------------------------------|--------|-------------------------|--------|-------------------------|--------|------------------------------|--------|
| | Mean | t-stat | Mean | t-stat | Mean | t-stat | Mean | t-stat |
| k=-20 | 0.0010** | 2.75 | 0.0008** | 3.36 | -0.0016** | -8.15 | -0.0019** | -5.90 |
| k=-15 | 0.0016** | 4.12 | 0.0014** | 5.66 | -0.0022** | -12.70 | -0.0026** | -7.97 |
| k=-10 | 0.0014** | 3.59 | 0.0015** | 5.88 | -0.0028** | -12.66 | -0.0030** | -7.62 |
| k=-5 | 0.0027** | 6.06 | 0.0028** | 10.07 | -0.0047** | -24.09 | -0.0053** | -15.62 |
| k=0 | -0.0024** | -5.30 | -0.0019** | -5.65 | 0.0011** | 4.02 | 0.0011** | 2.69 |
| k=5 | -0.0016** | -3.89 | -0.0012** | -5.07 | 0.0018** | 9.58 | 0.0024** | 6.99 |
| k=10 | -0.0006 | -1.51 | -0.0006* | -2.42 | 0.0010** | 5.38 | 0.0013** | 3.68 |
| k=15 | -0.0001 | -0.21 | -0.0004 | -1.74 | 0.0009** | 4.61 | 0.0010** | 2.77 |
| k=20 | -0.0005 | -1.34 | -0.0003 | -1.29 | 0.0006** | 3.84 | 0.0010** | 2.80 |

Panel A. Predicting returns using public news and marketable retail order flow

Reg

I

II

This table reports estimation results on a decomposition of our marketable retail order flow into four components that have different predictive power for future returns. Our sample period covers January 2010 to December 2014, and our sample firms are all common stocks listed on U.S. stock exchanges with a share price of at least \$1. We estimate two-stage Fama-MacBeth regressions specified in equations (14) - (16). The dependent variable is weekly returns, computed in two ways: using end-of-day bid-ask average price or CRSP closing price. The independent variables are scaled marketable retail order imbalance measures: *mroibvol* (based on the number of shares traded) and *mroibtrd* (based on the number of trades). In the first-stage estimation, the order imbalance measures are decomposed into four components. The variable *mroib(w-1, persistence)* is estimated in the first stage using past order imbalance and reflects price pressure. The variable *mroib(w-1, contrarian)* is estimated in the first stage using past returns over different horizons, which is connected to the liquidity provision hypothesis. The variable *mroib(w-1, public)* is estimated in the first stage using week w-1 news sentiment, which proxies for marketable retail order imbalances that predict returns associated with future news releases. The residual part of previous-week order imbalance from first-stage estimation, *mroib(w-1, private)*, we attribute to private information about future returns that is incorporated into prices but is not associated with an identifiable public news release. As additional control variables, we include previous-week return, *ret(w-1)*, previous-month return, *ret(m-1)*, and previous 6-month return, *ret(m-7, m-2)*. Other control variables are log book-to-market ratio (*lbm*), log market cap (*size*), monthly turnover (*lmtot*), and monthly volatility of daily returns (*lvol*), all measured at the end of the previous month. To account for serial correlation in the coefficients, the standard deviations of the time-series are adjusted using Newey-West (1987) with five lags.

| S | # | # | # | # | # | # | # | # | # | # | # | # | # |
|--------------|----------------|--------|---|---------------|--------|---|----------------|--------|---|---------------|--------|---|---|
| Reg | I | | | II | | | III | | | IV | | | |
| Dep.var | Mroibvol(w-1) | | | Mroibvol(w-1) | | | Mroibtrd(w-1) | | | Mroibtrd(w-1) | | | |
| Return | Bid-ask return | | | CRSP return | | | Bid-ask return | | | CRSP return | | | |
| | Coef. | t-stat | | Coef. | t-stat | | Coef. | t-stat | | Coef. | t-stat | | |
| Intercept | -0.1510 | -24.08 | | -0.1505 | -24.03 | | -0.1132 | -16.89 | | -0.1127 | -16.85 | | |
| Mroib(w-2) | 0.2208 | 112.64 | | 0.2209 | 112.67 | | 0.2827 | 125.44 | | 0.2829 | 125.48 | | |
| Ret(w-2) | -0.8918 | -36.22 | | -0.9051 | -37.00 | | -0.8940 | -34.04 | | -0.9098 | -35.01 | | |
| Ret(m-1) | -0.2169 | -13.68 | | -0.2156 | -13.60 | | -0.1702 | -10.56 | | -0.1687 | -10.47 | | |
| Ret(m-7,m-2) | -0.0264 | -4.54 | | -0.0264 | -4.55 | | -0.0080 | -1.17 | | -0.0081 | -1.19 | | |
| Sent(w-1) | 0.0249 | 11.60 | | 0.0249 | 11.60 | | 0.0305 | 13.81 | | 0.0305 | 13.81 | | |
| Adj.R2 | 5.49% | | | 5.50% | | | 8.58% | | | 8.59% | | | |

| Reg | I | | II | | III | | IV | |
|---|----------------|-------------|---------------|-------------|----------------|-------------|---------------|-------------|
| Order Imbalance | Mroibvol(w) | | Mroibvol(w) | | Mroibtrd(w) | | Mroibtrd(w) | |
| Dep.var | Bid-ask return | | CRSP return | | Bid-ask return | | CRSP return | |
| | Coef. | t-stat | Coef. | t-stat | Coef. | t-stat | Coef. | t-stat |
| Intercept | 0.0055 | 2.40 | 0.0060 | 2.63 | 0.0055 | 2.39 | 0.0060 | 2.62 |
| Mroib(w-1,persistence) | 0.0027 | 8.50 | 0.0029 | 9.16 | 0.0018 | 7.28 | 0.0020 | 8.02 |
| Mroib(w-1,contrarian) | 0.0088 | 0.55 | 0.6947 | 1.03 | -0.0182 | -1.00 | 0.0419 | 1.18 |
| Mroib(w-1,public news) | 0.1150 | 1.17 | -0.0134 | -0.35 | -0.0386 | -0.84 | 0.0020 | 0.04 |
| Mroib(w-1,other) | 0.0008 | 13.98 | 0.0009 | 15.16 | 0.0006 | 10.15 | 0.0007 | 11.35 |
| Ret(w-1) | -0.0217 | -6.25 | -0.0250 | -7.12 | -0.0218 | -6.28 | -0.0251 | -7.16 |
| Ret(m-1) | 0.0059 | 0.54 | 0.6585 | 1.03 | 0.0106 | 1.05 | 0.0119 | 1.41 |
| Ret(m-7,m-2) | 0.0014 | 1.01 | 0.0511 | 1.02 | 0.0059 | 0.99 | -0.0004 | -0.22 |
| Lmto | 0.0000 | -2.40 | 0.0000 | -2.75 | 0.0000 | -2.35 | 0.0000 | -2.71 |
| Lvol | -0.0273 | -1.63 | -0.0252 | -1.52 | -0.0266 | -1.59 | -0.0244 | -1.47 |
| Size | -0.0001 | -0.68 | -0.0001 | -0.73 | -0.0001 | -0.73 | -0.0001 | -0.79 |
| Lbm | 0.0001 | 0.31 | 0.0001 | 0.66 | 0.0001 | 0.25 | 0.0001 | 0.59 |
| Adj.R2 | 4.22% | | 4.23% | | 4.21% | | 4.22% | |
| | Interquartile | return diff | Interquartile | Return diff | Interquartile | return diff | Interquartile | return diff |
| Mroib(w-1,persistence +contrarian+public news) | 0.2760 | 0.0707% | 0.2763 | 0.0761% | 0.3609 | 0.0614% | 0.3611 | 0.0678% |
| Mroib(w-1,other) | 1.1202 | 0.0932% | 1.1203 | 0.1006% | 1.1654 | 0.0745% | 1.1654 | 0.0829% |

Panel B. Using marketable retail mroib to predict ETF returns

| Order imbalance | Mroibvol | | Mroibtrd | |
|-------------------|----------------|--------|----------------|--------|
| Dep.var | Bid-ask return | | Bid-ask return | |
| | Coef. | t-stat | Coef. | t-stat |
| All ETFs | 0.0001 | 2.04 | 0.0001 | 1.68 |
| Interquartile | 1.4726 | | 1.4737 | |
| Return diff | 0.0153% | | 0.0118% | |
| Broad market ETFs | -0.0004 | -0.81 | 0.0005 | 1.52 |

Panel C. Subsample analysis

| Reg | I | | II | | III | | IV | |
|-----------------|----------------|--------|----------------|--------|----------------|--------|----------------|--------|
| Period | 2010-2012 | | 2013-2015 | | 2010-2012 | | 2013-2015 | |
| Order imbalance | Mroibvol | | Mroibvol | | Mroibtrd | | Mroibtrd | |
| Dep.var | Bid-ask Return | | Bid-ask Return | | Bid-ask Return | | Bid-ask Return | |
| | Coef. | t-stat | Coef. | t-stat | Coef. | t-stat | Coef. | t-stat |
| Mroib | 0.0010 | 11.52 | 0.0009 | 10.57 | 0.0008 | 9.39 | 0.0007 | 8.10 |
| Interquartile | 1.2357 | | 1.1424 | | 1.3328 | | 1.1266 | |
| Return diff | 0.1213% | | 0.0974% | | 0.1041% | | 0.0826% | |

Panel D. Different market conditions

| | Vix <=18% | | Vix>18% | |
|-----------|----------------|--------|----------------|--------|
| Dep.var | Bid-ask return | | Bid-ask return | |
| Indep.var | Coef. | t-stat | Coef. | t-stat |
| Mroibvol | 0.0009 | 13.49 | 0.0010 | 9.36 |
| Mroibtrd | 0.0007 | 10.32 | 0.0008 | 7.60 |

Panel E. Predicting stock returns using odd-lot order imbalances

| Order imbalance | Mroibvol | | Mroibtrd | |
|-----------------|----------------|--------|----------------|--------|
| Dep.var | Bid-ask return | | Bid-ask return | |
| | Coef. | t-stat | Coef. | t-stat |
| Odd lot | 0.0001 | 1.41 | 0.0001 | 0.77 |
| Interquartile | 1.2734 | | 1.1314 | |
| Return diff | 0.0154% | | 0.0086% | |

Panel F. Different marketable retail trade sizes

| Order imbalance | Mroibvol | | Mroibtrd | |
|-----------------------------|----------------|--------|----------------|--------|
| Dep.var | Bid-ask return | | Bid-ask return | |
| | Coef. | t-stat | Coef. | t-stat |
| Small trades (< 400 shares) | 0.0004 | 5.77 | 0.0004 | 4.48 |
| Large trades + #/33# , | 0.0009 | 7.25 | 0.0008 | 5.85 |

Panel G. Different price improvement amounts

| Order imbalance | Mroibvol | Mroibtrd |
|-----------------|----------|----------|
|-----------------|----------|----------|

| Dep.var | Bid-ask return | | Bid-ask return | |
|------------------------|----------------|--------|----------------|--------|
| | Coef. | t-stat | Coef. | t-stat |
| Less price improvement | 0.00071 | 9.30 | 0.00042 | 5.57 |
| More price improvement | 0.00021 | 3.04 | 0.00018 | 2.43 |

Panel H. Earnings surprises

| Order imbalance Dep.var | Mroibvol Bid-ask return | | Mroibtrd Bid-ask return | |
|----------------------------|----------------------------|--------|----------------------------|--------|
| | Coef. | t-stat | Coef. | t-stat |
| Mroib | 0.0003 | 8.16 | 0.0004 | 11.98 |
| Mroib* eventday | 0.0003 | 1.47 | 0.0002 | 1.31 |

Panel I. Marketable retail vs. overall order imbalance

| Order imbalance Dep.var | Overall Mroib Bid-ask return | | Mroibvol Bid-ask return | | Mroibtrd Bid-ask return | |
|----------------------------|---------------------------------|--------|----------------------------|--------|----------------------------|--------|
| | Coef. | t-stat | Coef. | t-stat | Coef. | t-stat |
| Retail Mroib | | | 0.0011 | 6.14 | 0.0006 | 3.33 |
| Overall Mroib | 0.0004 | 3.32 | 0.0000 | 0.10 | 0.0001 | 0.51 |

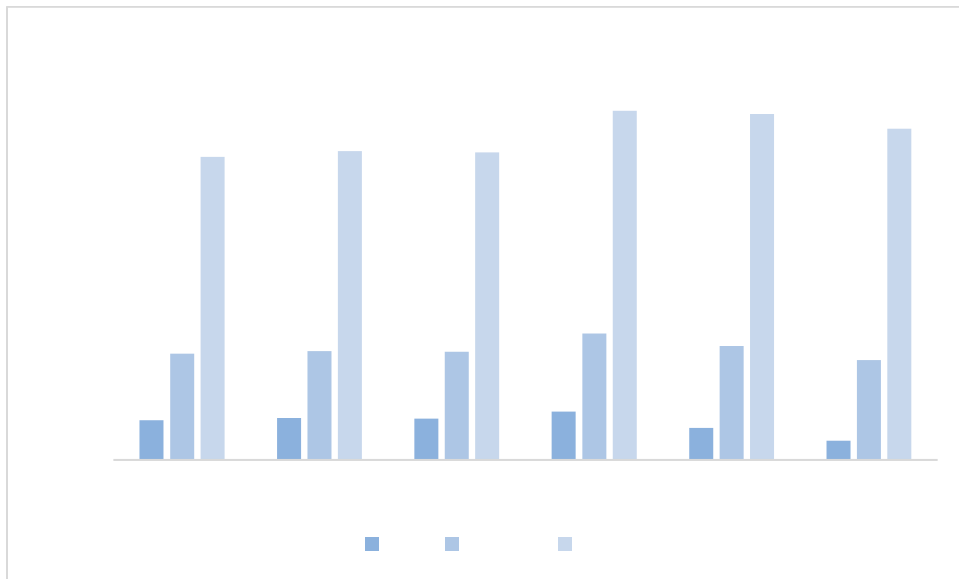
Panel J. When effective spread is less than one cent

| Order imbalance Dep.var | Mroibvol Bid-ask return | | Mroibtrd Bid-ask return | |
|----------------------------|----------------------------|--------|----------------------------|--------|
| | Coef. | t-stat | Coef. | t-stat |
| Mroib | 0.0008 | 4.48 | 0.0004 | 2.45 |

Figure 1. Distribution of Trade Size and Subpenny Prices for Marketable Retail Orders

These figures report summary statistics for the marketable retail investor trading we identify. Our sample period covers January 2010 to December 2015, and our sample firms are all common stocks listed on U.S. stock exchanges with a share price of at least \$1. In Panel A, we compute the trade size in dollars as the number of shares multiplied by transaction price. For each year, we report the cross-sectional median, q1 (25th percentile) and q3 (75th percentile). In Panel B, we separate trades into 12 groups based on subpenny increments: trades at the whole penny, at the half penny, and in buckets that are 0.1 cent wide. We report the cross-sectional median of the daily number of shares traded in each group.

Panel A. Marketable retail order trade size in dollars



Panel B. Median share volumes for different subpenny groups

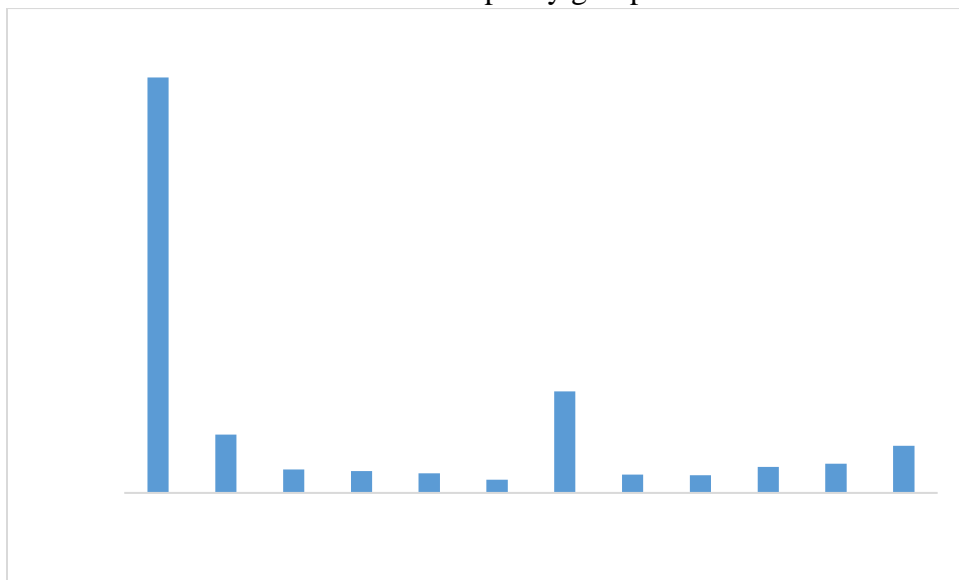


Figure 2. Time Series of Marketable Retail Investor Order Imbalances

These figures report time series statistics of our identified marketable retail investor trading activity. Our sample period covers January 2010 to December 2015, and our sample firms are all common stocks listed on U.S. stock exchanges with a share price of at least \$1. We present cross-sectional means, medians, q1 (25th percentile), and q3 (75th percentile) for each day.

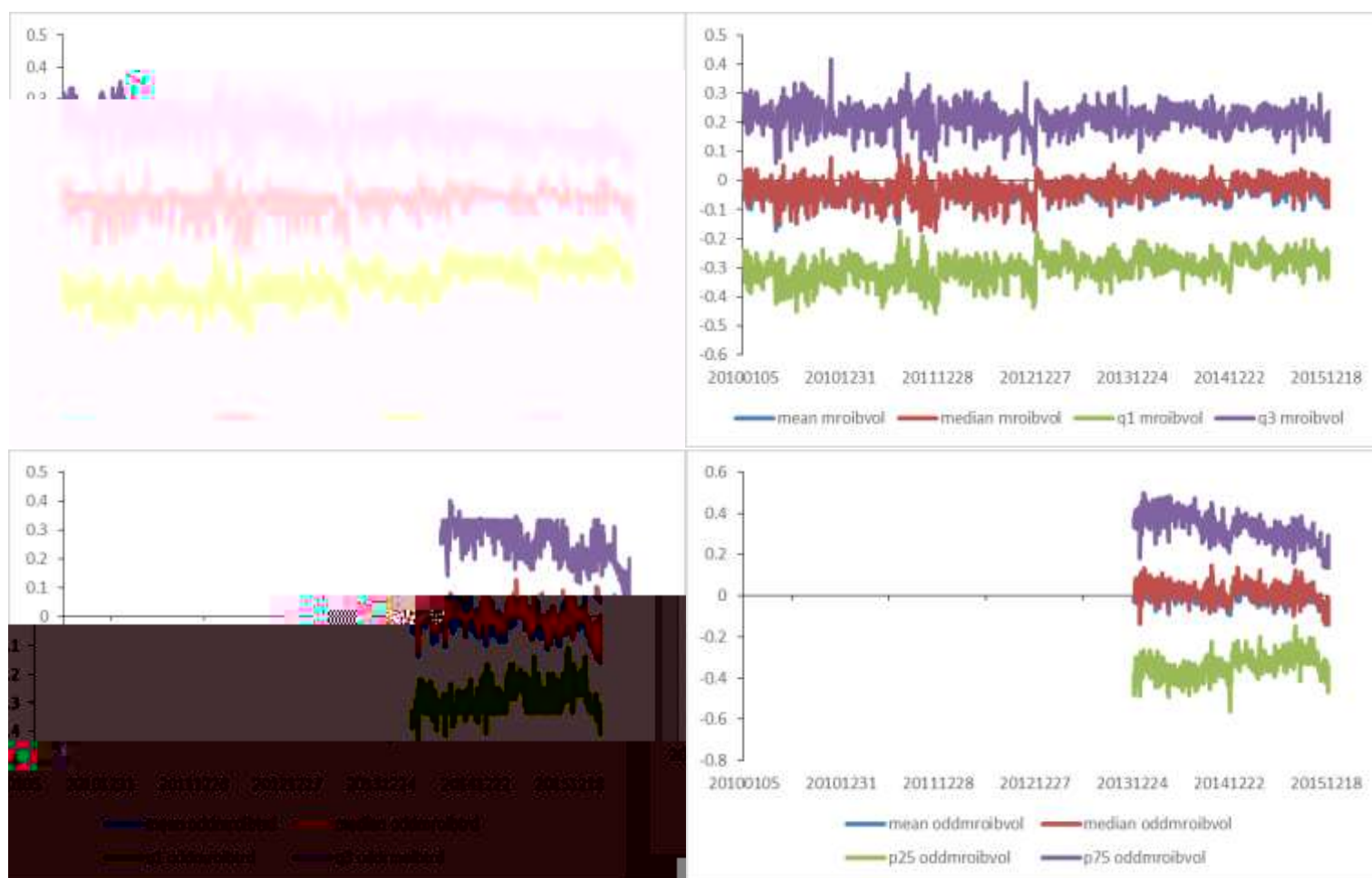


Figure 3. Portfolio Return Difference Using Previous Week Marketable Retail Order Imbalance

These figures plot weekly value-weighted portfolio return differences between quintile 5 and quintile 1, where weeks are sorted on the previous-week marketable retail order imbalance calculated using the number of shares traded (*mroibvol*). Our sample period covers January 2010 to December 2015, and our sample firms are all common stocks listed on U.S. stock exchanges with a share price of at least \$1. The portfolio returns are computed using the end-of-day bid-ask average price (*bidaskret*) in Panel A and the CRSP closing price (*crspret*) in Panel B.

Panel A. Weekly portfolio return difference using end-of-day bid-ask average prices

Panel B. Weekly portfolio return difference using CRSP closing prices

Internet Appendix.

Appendix Figure A1. Marketable retail Order Flows between 2005 and 2017

These figures report the time series mean of marketable retail investor trading activity from January 2005 (the start of Reg NMS, which allows subpenny price improvement in its current form) to December 2017. Our sample firms are all common stocks listed on U.S. stock exchanges with a share price of at least \$1. In Panel A, we separately present the cross-sectional mean for each stock-day for marketable retail buy trades and marketable retail sell trades. In Panel B, we present the cross-sectional mean for each stock-day for marketable retail buy volume and marketable retail sell volume.

Panel A. Number of Trades



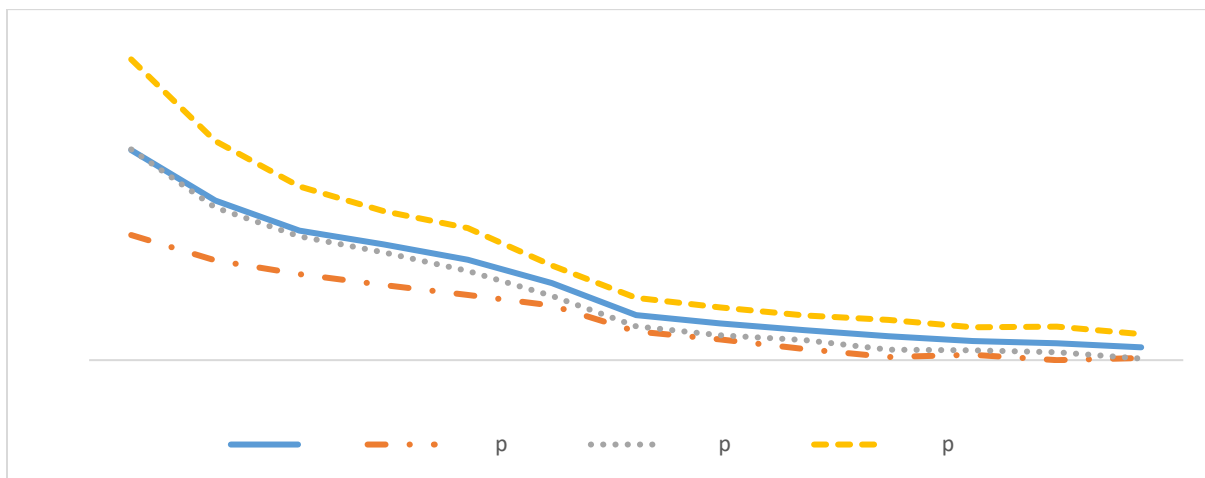
Panel B. Share Volume



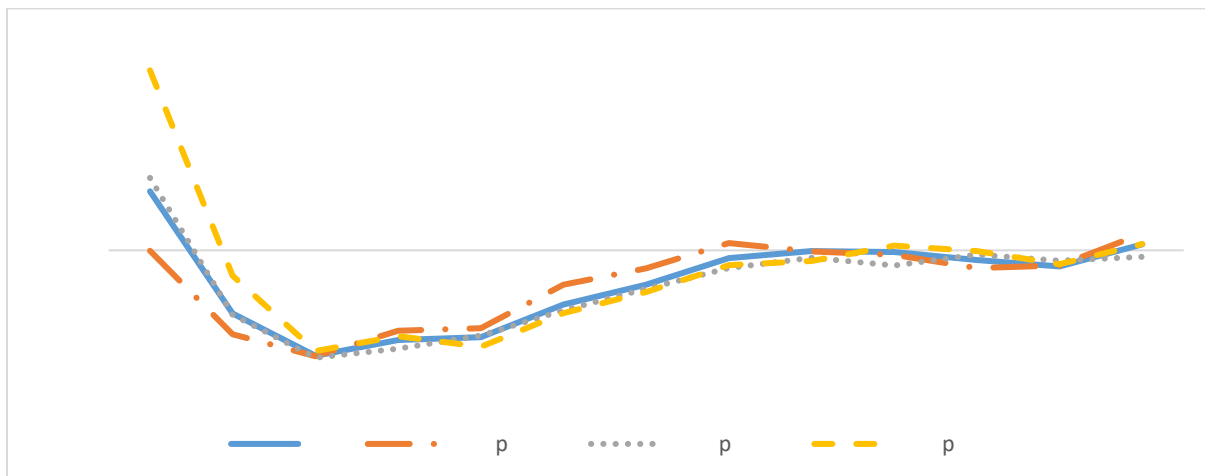
Appendix Figure A2. Marketable retail Order Imbalance Persistence and Cross-correlations with Returns

These figures report the autocorrelation of marketable retail order imbalances and cross-autocorrelations with past returns. Our sample period covers January 2010 to December 2015, and our sample firms are common stocks listed on all U.S. stock exchanges with a share price of at least \$1. We also report subgroup correlations based on market cap (size) measured at the end of the previous month. Panel A shows the auto-correlations of marketable retail order imbalances using the number of shares for each firm at a lag of N days ($N = 1, 2, 3, 4, 5, 10, 20, 30, 40, 50, 60, 70$, and 80), reporting the cross-firm median of autocorrelations. Panel B shows the cross-autocorrelations of marketable retail order imbalances using number of trades with past returns for each firm, with the correlation calculated at a lag of N days ($N = 1, 2, 3, 4, 5, 10, 20, 30, 40, 50, 60, 70$, and 80) and reporting the cross-firm median of these cross-autocorrelations.

Panel A. Auto-correlations of Marketable Retail Order Imbalance Measure Using Number of Shares



Panel B. Correlation of Marketable Retail Order Imbalance Measure Using Number of Trades with Past Returns



Appendix Table AI. What Affects Marketable Retail Order Imbalances?

This table reports covariates with our marketable retail order imbalance measure. Our sample period covers January 2010 to December 2015, and our sample firms are common stocks listed on all U.S. stock exchanges with a share price of at least \$1. We estimate Fama-MacBeth regressions in all panels. The dependent variables are two scaled marketable retail order imbalance measures: *mroibvol* (based on the number of marketable retail shares traded) and *mroibtrd* (based on the number of marketable retail trades). As independent variables, we include the previous-week return $ret(w-1)$, previous-month return, and previous 6-month return, $ret(m-7, m-2)$. We compute weekly returns in two ways: using end-of-day bid-ask average price or CRSP closing price. The control variables are monthly turnover (*lmtot*), monthly volatility of daily returns (*lvol*), log market cap (*size*), and log book-to-market ratio (*lbm*), all measured at the end of the previous month. In Panels A and B, variable $Max(ret[t], 0)$ is equal to $ret[t]$ if the return is positive and 0 otherwise; $Min(ret[t], 0)$ is equal to $ret[t]$ if the return is negative and 0 otherwise. In Panel C, firms are sorted into 3 groups based on previous month-end characteristics. The *Rank2* interactive dummy is 1 if the firm belongs to the medium characteristic group and 0 otherwise. The *Rank3* interactive dummy is 1 if the firm belongs to the large characteristic group and 0 otherwise. In Panel D, the Monday dummy is equal to 1 if the trading day is Monday and 0 otherwise. The dummy variables Friday, December, and January are defined similarly. In Panel E, the dependent variables are two normalized order imbalance measures: *mroibvol[m]* (the number of monthly marketable retail buy shares minus the number of monthly marketable retail sell shares divided by the sum of the number of monthly marketable retail buy shares and the number of monthly marketable retail sell shares), *mroibtrd[m]* (the number of monthly marketable retail buy trades minus the number of monthly marketable retail sell trades divided by the sum of the number of monthly marketable retail buy trades and the number of monthly marketable retail sell trades). As independent variables, we include the monthly return of an individual stock if positive and 0 otherwise (*Ret+*); the monthly return of an individual stock if negative and 0 otherwise (*Ret-*); the logarithm of month-end market value ($ASIZE = \ln(MV)$); the logarithm of one plus the number of months since its listing on an exchange *M* ($FAGE = \log(1+M)$); the logarithm of price ($ALNP = \ln(Prc)$); the logarithm of one plus the number of analysts who follow a company and report forecasts to the I/B/E/S database ($ALANA = \log(1+ANA)$); the standard deviation of the most recent eight quarterly earnings (*EVOLA*); the absolute value of the most recent quarterly earnings minus the earnings four quarters ago (*ESURP*); the analyst forecast dispersion (*FDISP*), which is defined as the standard deviation of earnings per share forecasts from multiple (two or more) analysts; firm leverage (*LEVRG*), which is the book debt divided by total assets, where book debt is current liabilities, long term debt, and preferred stocks. *Beta* is the ex-ante rolling beta regressed on the market factor using three years of daily returns.

Panel A. Momentum or contrarian over daily horizon: past returns

| Reg | I | | II | | III | | IV | |
|--------------------|----------------|--------|-------------|--------|----------------|--------|-------------|--------|
| Dep.var | Mroibvol | | Mroibvol | | Mroibtrd | | Mroibtrd | |
| Return | Bid-ask return | | CRSP return | | Bid-ask return | | CRSP return | |
| | Coef. | t-stat | Coef. | t-stat | Coef. | t-stat | Coef. | t-stat |
| Intercept | -0.1173 | -26.85 | -0.1195 | -27.27 | -0.1322 | -31.78 | -0.1335 | -31.88 |
| Mroib[-1] | 0.0854 | 75.44 | 0.0854 | 75.40 | 0.1357 | 104.59 | 0.1357 | 104.70 |
| Max(ret[-1],0) | 0.1975 | 12.27 | 0.1919 | 11.77 | 0.2701 | 16.79 | 0.2563 | 15.82 |
| Min(ret[-1],0) | -0.5474 | -21.69 | -0.5510 | -21.30 | -0.4896 | -20.27 | -0.5061 | -20.41 |
| Max(ret[-6,-2],0) | -0.0987 | -12.81 | -0.1015 | -13.23 | -0.0482 | -6.56 | -0.0514 | -7.00 |
| Min(ret[-6,-2],0) | -0.3551 | -36.09 | -0.3604 | -36.64 | -0.3229 | -32.99 | -0.3267 | -33.61 |
| Max(ret[-27,-7],0) | -0.0546 | -10.32 | -0.0548 | -10.44 | -0.0316 | -6.07 | -0.0307 | -5.90 |
| Min(ret[-27,-7],0) | -0.1281 | -21.84 | -0.1309 | -22.40 | -0.1278 | -21.25 | -0.1301 | -21.75 |
| Ret(m-7,m-2) | -0.0147 | -13.03 | -0.0146 | -12.92 | -0.0103 | -8.27 | -0.0102 | -8.19 |
| Lmto | 0.0000 | 3.29 | 0.0000 | 3.09 | 0.0000 | 2.41 | 0.0000 | 2.37 |
| Lvol | -0.0254 | -0.95 | -0.0182 | -0.69 | -0.1266 | -4.87 | -0.1283 | -4.92 |
| Size | 0.0048 | 18.02 | 0.0050 | 18.68 | 0.0065 | 24.66 | 0.0066 | 25.01 |
| Lbm | -0.0057 | -15.90 | -0.0056 | -15.79 | -0.0058 | -17.29 | -0.0057 | -17.20 |

Panel B. Momentum or contrarian over weekly horizon: past returns

| | | | | | |
|----------------|---------|-------|---------|-------|--------|
| Ret(w-1)*Rank3 | -0.0192 | -0.47 | -0.0583 | -1.48 | 0.6252 |
|----------------|---------|-------|---------|-------|--------|

Panel A. Include mroib(w-3) as a control for past order imbalance in the second stage

| Reg | I | | II | | III | | IV | |
|------------------------|----------------|--------|-------------|--------|----------------|--------|-------------|--------|
| Order Imbalance | Mroibvol(w) | | Mroibvol(w) | | Mroibtrd(w) | | Mroibtrd(w) | |
| Dep.var | Bid-ask return | | CRSP return | | Bid-ask return | | CRSP return | |
| | Coef. | t-stat | Coef. | t-stat | Coef. | t-stat | Coef. | t-stat |
| Intercept | 0.0044 | 2.08 | 0.0050 | 2.35 | 0.0044 | 2.05 | 0.0049 | 2.32 |
| Mroib(w-1,persistence) | 0.0024 | 7.89 | 0.0026 | 8.44 | 0.0016 | 6.73 | 0.0017 | 7.34 |
| Mroib(w-1, contrarian) | -0.0066 | -0.60 | -0.1559 | -1.50 | -0.0067 | -0.69 | 0.0356 | 1.60 |
| Mroib(w-1,other) | 0.0008 | 13.70 | 0.0009 | 14.65 | 0.0006 | 9.45 | 0.0007 | 10.49 |
| Mroib(w-3) | 0.0002 | 4.24 | 0.0003 | 4.65 | 0.0002 | 2.87 | 0.0002 | 3.27 |
| Ret(w-1) | -0.0173 | -5.31 | -0.0201 | -6.10 | -0.0174 | -5.34 | -0.0202 | -6.13 |
| Ret(m-1) | -0.0062 | -0.68 | -0.0030 | -0.33 | 0.0020 | 0.65 | 0.0117 | 1.17 |
| Ret(m-7,m-2) | -0.0010 | -0.69 | -0.0152 | -1.13 | 0.0019 | 1.03 | -0.0013 | -0.52 |
| Lmto | 0.0000 | -3.49 | 0.0000 | -3.78 | 0.0000 | -3.47 | 0.0000 | -3.75 |
| Lvol | -0.0218 | -1.39 | -0.0224 | -1.44 | -0.0210 | -1.34 | -0.0217 | -1.39 |
| Size | -0.0001 | -0.49 | -0.0001 | -0.53 | | | | |

Panel B. Include mroib(m-1) as a control for past order imbalance in the second stage

| Reg | I | | II | | III | | IV | |
|------------------------|----------------|-------------|---------------|-------------|----------------|-------------|---------------|-------------|
| Order Imbalance | Mroibvol(w) | | Mroibvol(w) | | Mroibtrd(w) | | Mroibtrd(w) | |
| Dep.var | Bid-ask return | | CRSP return | | Bid-ask return | | CRSP return | |
| | Coef. | t-stat | Coef. | t-stat | Coef. | t-stat | Coef. | t-stat |
| Intercept | 0.0046 | 2.21 | 0.0052 | 2.50 | 0.0045 | 2.19 | 0.0052 | 2.48 |
| Mroib(w-1,persistence) | 0.0026 | 8.60 | 0.0028 | 9.23 | 0.0017 | 7.62 | 0.0019 | 8.36 |
| Mroib(w-1,contrarian) | -0.0058 | -0.52 | -0.1499 | -1.42 | -0.0081 | -0.82 | 0.0318 | 1.58 |
| Mroib(w-1,other) | 0.0008 | 14.08 | 0.0009 | 15.16 | 0.0006 | 10.03 | 0.0007 | 11.22 |
| Mroib(m-1) | 0.0000 | 1.92 | 0.0000 | 2.20 | 0.0000 | 1.50 | 0.0000 | 1.71 |
| Ret(w-1) | -0.0173 | -5.32 | -0.0203 | -6.17 | -0.0174 | -5.36 | -0.0204 | -6.22 |
| Ret(m-1) | -0.0062 | -0.68 | 0.0005 | 0.07 | 0.0015 | 0.52 | 0.0092 | 1.12 |
| Ret(m-7,m-2) | -0.0010 | -0.69 | -0.0152 | -1.11 | 0.0017 | 0.98 | -0.0008 | -0.31 |
| Lmto | 0.0000 | -3.47 | 0.0000 | -3.75 | 0.0000 | -3.46 | 0.0000 | -3.74 |
| Lvol | -0.0232 | -1.48 | -0.0239 | -1.54 | -0.0227 | -1.44 | -0.0233 | -1.50 |
| Size | -0.0001 | -0.55 | -0.0001 | -0.61 | -0.0001 | -0.59 | -0.0001 | -0.66 |
| Lbm | -0.0001 | -0.50 | 0.0000 | -0.17 | -0.0001 | -0.60 | -0.0001 | -0.27 |
| Adj.R2 | 4.28% | | 4.30% | | 4.28% | | 4.29% | |
| | Interquartile | return diff | Interquartile | return diff | Interquartile | return diff | Interquartile | return diff |
| Mroib(w-1,persistence) | 0.2591 | 0.0683% | 0.2593 | 0.0731% | 0.3498 | 0.0607% | 0.3500 | 0.0665% |
| Mroib(w-1,contrarian) | 0.0627 | -0.0361% | 0.0631 | -0.9454% | 0.0614 | -0.0498% | 0.0619 | 0.1965% |
| Mroib(w-1,other) | 1.1141 | 0.0899% | 1.1141 | 0.0964% | 1.1326 | 0.0697% | 1.1327 | 0.0774% |

Appendix Table AIII. Predictability Decomposition with Contemporaneous Return in the First Stage

This table reports estimation results on a decomposition of marketable retail β and α into β_{cont} , β_{disc} , α_{cont} , and α_{disc} -section of future stock returns, using contemporaneous return in first stage as discussed in footnote 14. Our sample period covers January 2010 to December 2015, and our sample firms are all common stocks listed on U.S. stock exchanges with a share price of at least \$1. We estimate two-stage Fama-MacBeth regressions. In the first

Rf , c , cc , c are computed in two ways: using end-of-day bid-ask average price or CRSP closing price. The scaled marketable retail order imbalance measures are *mroibvol* (based on the number of marketable retail shares traded) and *mroibtrd* (based on the number of marketable retail trades). The variable *mroib(w-1, persistence)* is estimated in the first stage using past order imbalance and reflects price pressure. The variable *mroib(w-1, contrarian)* is estimated in the first stage using contemporaneous return and past returns over different horizons and is connected to the liquidity provision hypothesis. The residual part of the previous-week order imbalance from the first-stage estimation is denoted $\epsilon_{it}^* = \epsilon_{it} - \alpha - \beta_1 \epsilon_{it-1} - \beta_2 \epsilon_{it-2} - \beta_3 \epsilon_{it-3} - \beta_4 \epsilon_{it-4} - \beta_5 \epsilon_{it-5} - \beta_6 \epsilon_{it-6} - \beta_7 \epsilon_{it-7}$ for these marketable retail investors. As additional control variables, we include previous-week return, *ret(w-1)*, previous-month return, *ret(m-1)*, and previous 6-month return, *ret(m-7, m-2)*. The control variables are log book-to-market ratio (*lbm*), log market cap (*size*), monthly turnover (*lmto*), and monthly volatility of daily returns (*lvol*), all measured at the end of the previous month. To account for serial correlation in the coefficients, the standard errors of the time-series are adjusted using Newey-West (1987) with five lags.

Panel A. First stage of projecting order imbalance on persistence, contemporaneous return and past return

| Reg | I | | II | | III | | IV | |
|--------------|----------------|--------|---------------|--------|----------------|--------|---------------|--------|
| Dep.var | Mroibvol(w-1) | | Mroibvol(w-1) | | Mroibtrd(w-1) | | Mroibtrd(w-1) | |
| Return | Bid-ask return | | CRSP return | | Bid-ask return | | CRSP return | |
| | Coef. | t-stat | Coef. | t-stat | Coef. | t-stat | Coef. | t-stat |
| Intercept | -0.1468 | -26.10 | -0.1469 | -26.12 | -0.1122 | -18.52 | -0.1124 | -18.55 |
| Mroib(w-2) | 0.2216 | 96.52 | 0.2216 | 96.53 | 0.2885 | 151.74 | 0.2885 | 151.77 |
| Ret(w-1) | 0.2267 | 6.51 | 0.2538 | 7.34 | 0.5391 | 13.90 | 0.5677 | 14.71 |
| Ret(m-1) | -0.2170 | -14.83 | -0.2170 | -14.84 | -0.1722 | -11.67 | -0.1722 | -11.67 |
| Ret(m-7,m-2) | -0.0281 | -5.38 | -0.0281 | -5.39 | -0.0072 | -1.17 | -0.0072 | -1.16 |
| Adj.R2 | 5.40% | | 5.41% | | 8.88% | | 8.89% | |

Panel B. Second stage bca gg d bc g ac cbg g c c , after first stage in Panel A

| Reg | I | | II | | III | | IV | |
|------------------------|----------------|--------|-------------|--------|----------------|--------|-------------|--------|
| Order Imbalance | Mroibvol(w) | | Mroibvol(w) | | Mroibtrd(w) | | Mroibtrd(w) | |
| Dep.var | Bid-ask return | | CRSP return | | Bid-ask return | | CRSP return | |
| | Coef. | t-stat | Coef. | t-stat | Coef. | t-stat | Coef. | t-stat |
| Intercept | 0.0045 | 2.19 | 0.0051 | 2.47 | 0.0045 | 2.15 | 0.0051 | 2.44 |
| Mroib(w-1,persistence) | 0.0027 | 8.72 | 0.0029 | 9.36 | 0.0018 | 7.73 | 0.0019 | 8.49 |
| Mroib(w-1,contrarian) | 0.0420 | 0.71 | 0.0545 | 0.74 | 0.2910 | 1.73 | 0.1832 | 0.94 |
| Mroib(w-1,other) | 0.0008 | 13.99 | 0.0009 | 14.94 | 0.0006 | 10.17 | 0.0007 | 11.25 |
| Ret(w-1) | -0.0609 | -2.36 | -0.0883 | -2.23 | -0.3131 | -1.80 | -0.2255 | -1.27 |
| Ret(m-1) | 0.0220 | 0.72 | 0.0080 | 0.35 | 0.0455 | 1.12 | 0.0190 | 0.82 |
| Ret(m-7,m-2) | 0.0006 | 2.04 | 0.0006 | 2.06 | 0.0006 | 1.88 | 0.0006 | 1.91 |
| Lmto | 0.0000 | -3.36 | 0.0000 | | | | | |

Panel C. First stage of projecting order imbalance on persistence, contemporaneous positive and negative return and past return

| Reg | I | | II | | III | | IV | |
|--------------|----------------|--------|---------------|--------|----------------|--------|---------------|--------|
| Dep.var | Mroibvol(w-1) | | Mroibvol(w-1) | | Mroibtrd(w-1) | | Mroibtrd(w-1) | |
| Return | Bid-ask return | | CRSP return | | Bid-ask return | | CRSP return | |
| | Coef. | t-stat | Coef. | t-stat | Coef. | t-stat | Coef. | t-stat |
| Intercept | -0.1742 | -29.49 | -0.1737 | -29.44 | -0.1364 | -21.58 | -0.1358 | -21.51 |
| Mroib(w-2) | 0.2203 | 96.94 | 0.2203 | 96.93 | 0.2875 | 151.11 | 0.2876 | 151.23 |
| Posret(w-1) | 0.9453 | 25.97 | 0.9506 | 26.20 | 1.1696 | 29.19 | 1.1721 | 29.35 |
| Negret(w-1) | -0.8228 | -15.18 | -0.7778 | -14.35 | -0.3954 | -6.78 | -0.3375 | -5.75 |
| Ret(m-1) | -0.2159 | -15.08 | -0.2159 | -15.09 | -0.1705 | -11.76 | -0.1706 | -11.76 |
| Ret(m-7,m-2) | -0.0268 | -5.09 | -0.0268 | -5.10 | -0.0059 | -0.93 | -0.0058 | -0.93 |
| Adj.R2 | 5.55% | | 5.55% | | 9.01% | | 9.01% | |

Panel D. Second-stage decomposition of order g ac cbg g c c , after first stage in Panel C

| Reg | I | | II | | III | | IV | |
|------------------------|----------------|-------------|---------------|-------------|----------------|-------------|---------------|-------------|
| Order Imbalance | Mroibvol(w) | | Mroibvol(w) | | Mroibtrd(w) | | Mroibtrd(w) | |
| Dep.var | Bid-ask return | | CRSP return | | Bid-ask return | | CRSP return | |
| | Coef. | t-stat | Coef. | t-stat | Coef. | t-stat | Coef. | t-stat |
| Intercept | 0.0049 | 2.43 | 0.0054 | 2.69 | 0.0048 | 2.39 | 0.0053 | 2.66 |
| Mroib(w-1,persistence) | 0.0027 | 8.64 | 0.0029 | 9.20 | 0.0018 | 7.80 | 0.0020 | 8.51 |
| Mroib(w-1,positive) | 0.0196 | 0.08 | 0.4550 | 1.12 | -0.0102 | -0.03 | -0.6046 | -0.84 |
| Mroib(w-1,negative) | 0.0952 | 0.38 | -0.6257 | -1.19 | -0.3945 | -0.88 | 0.5624 | 0.77 |
| Mroib(w-1,other) | 0.0008 | 14.56 | 0.0009 | 15.53 | 0.0006 | 10.82 | 0.0007 | 11.93 |
| Ret(w-1) | 0.0213 | 0.07 | -0.2911 | -0.89 | -0.1151 | -0.26 | 0.1337 | 0.45 |
| Ret(m-1) | 0.0061 | 0.24 | -0.0287 | -0.88 | 0.0087 | 0.42 | 0.0017 | 0.15 |
| Ret(m-7,m-2) | 0.0005 | 1.65 | 0.0006 | 1.92 | 0.0005 | 1.88 | 0.0005 | 1.81 |
| Lmto | 0.0000 | -3.44 | 0.0000 | -3.76 | 0.0000 | -3.44 | 0.0000 | -3.76 |
| Lvol | -0.0202 | -1.32 | -0.0207 | -1.37 | -0.0199 | -1.30 | -0.0203 | -1.34 |
| Size | -0.0001 | -0.71 | -0.0001 | -0.76 | -0.0001 | -0.75 | -0.0001 | -0.80 |
| Lbm | -0.0001 | -0.57 | -0.0001 | -0.25 | -0.0001 | -0.67 | -0.0001 | -0.34 |
| Adj.R2 | 4.30% | | 4.32% | | 4.29% | | 4.31% | |
| | Interquartile | return diff | Interquartile | return diff | Interquartile | return diff | Interquartile | return diff |
| Mroib(w-1,persistence) | 0.2563 | 0.0690% | 0.2564 | 0.0737% | 0.3461 | 0.0622% | 0.3461 | 0.0677% |
| Mroib(w-1,positive) | 0.0357 | 0.0699% | 0.0360 | 1.6397% | 0.0405 | -0.0412% | 0.0407 | -2.4626% |

| | | | | | | | | |
|---------------------|--------|---------|--------|----------|--------|----------|--------|---------|
| Mroib(w-1,negative) | 0.0321 | 0.3052% | 0.0315 | -1.9690% | 0.0292 | -1.1499% | 0.0289 | 1.6224% |
| Mroib(w-1,other) | 1.1136 | 0.0923% | 1.1137 | 0.0986% | 1.1323 | 0.0730% | 1.1322 | 0.0806% |

Appendix Table AIV. Predictability Decomposition with Contemporaneous Components in the Second Stage

This table reports the second stage decomposition results of marketable retail bc d c b a g c c d the cross-section of future stock returns using contemporaneous components in second stage as discussed in footnote 15. Our sample period covers January 2010 to December 2015, and our sample firms are all common stocks listed on U.S. stock exchanges with a share price of at least \$1. We estimate two-stage Fama-MacBeth regressions. Panel A reports the first-stage estimation, where the order imbalance measures are decomposed into three components, as specified in equation (A9)* f c c g & g d c /3. Panel B reports the sca b+ ec bca gg d bc g ac c b a g c c * c a g d b g c g & /. b & /0 * f c c g & +&/ g d c /3.

Rf, cc, c are computed in two ways: using end-of-day bid-ask average price or CRSP closing price. The scaled order imbalance measures are *mroibvol* (based on the number of marketable retail shares traded) and *mroibtrd* (based on the number of marketable retail trades). The variable *mroib(w, persistence)* is estimated in the first stage using past order imbalance and reflects price pressure. The variable *mroib(w, contrarian)* is estimated in the first stage using past returns over different horizons and is connected to the liquidity provision hypothesis. The residual part of the previous-week order imbalance from the first-stage estimation is denoted as \hat{mroib}_{w-1} , \hat{mroib}_{m-1} , \hat{mroib}_{m-2} about future returns on the part of these marketable retail investors. As additional control variables, we include previous-week return, *ret(w-1)*, previous-month return, *ret(m-1)*, and previous 6-month return, *ret(m-7, m-2)*. The control variables are log book-to-market ratio (*lbm*), log market cap (*size*), monthly turnover (*lmto*), and monthly volatility of daily returns (*lvol*), all measured at the end of the previous month. To account for serial correlation in the coefficients, the standard errors of the time-series are adjusted using Newey-West (1987) with five lags.

Panel A. First stage of projecting order imbalance on persistence and past return, on week w

| Reg Dep.var Return | I | | II | | III | | IV | |
|--------------------------|----------------|--------|-------------|--------|----------------|--------|-------------|--------|
| | Mroibvol(w) | | Mroibvol(w) | | Mroibtrd(w) | | Mroibtrd(w) | |
| | Bid-ask return | | CRSP return | | Bid-ask return | | CRSP return | |
| | Coef. | t-stat | Coef. | t-stat | Coef. | t-stat | Coef. | t-stat |
| Intercept | -0.1413 | -24.66 | -0.1408 | -24.61 | -0.1054 | -17.23 | -0.1049 | -17.19 |
| Mroib(w-1) | 0.2227 | 96.20 | 0.2228 | 96.20 | 0.2906 | 149.82 | 0.2907 | |

Appendix Table AV. Marketable Retail Order Imbalance and Contemporaneous Returns, Replicating KST Table III using *mroibtrd*

This table presents analysis of market-adjusted returns around net buying and selling activity as given by the scaled marketable retail order imbalance measure *mroibtrd* (based on the number of trades). For each non-overlapping week in the sample period (which extends from Jan 2010 to Dec 2015), we aggregate the daily order imbalance measures to form weekly *Mroib* deciles. Each stock is put into 1 of 10 deciles according to the *Mroib* value in the current week. Decile 1 contains the stocks with the most net selling (negative *Mroib*) while decile 10 contains the stocks with the most net buying (positive *Mroib*). We present the results for four portfolios: (i) decile 1, (ii) deciles 1 and 2, (iii) deciles 9 and 10, and (iv) decile 10. Let k be the number of days prior to or following the portfolio formation each week. In Panel A, we calculate eight cumulative return numbers for each of the stocks in a portfolio:

where t is the first day of the formation week, and s is the last day of the formation week. The return on each portfolio is then adjusted by subtracting the return on a market proxy (the equal-weighted portfolio of all stocks in the sample). We present the time-series mean and t-statistic for each market-adjusted cumulative return measure and for the market-adjusted return during the intense trading week ($k=0$). In Panel B, we present the time-series mean and t-statistic for weekly market-adjusted returns in the 4 weeks around the formation week (i.e., s to $s+4$, where s is the first day of the formation week, and $s+4$ is the last day of the formation week).

** indicates significance at 1% level and * indicates significance at 5% level (both against a two-sided alternative). The t-statistic is computed using Newey-West standard errors.

Panel A. Cumulative market adjusted return

| Mroibtrd Bid-ask return | Intense Selling (decile 1) | | Selling (decile 1&2) | | Buying (decile 9&10) | | Intense Buying (decile10) | |
|----------------------------|-------------------------------|--------------|-------------------------|--------------|-------------------------|-------------|------------------------------|-------------|
| | Mean | t-stat | Mean | t-stat | Mean | t-stat | Mean | t-stat |
| k=-20 | 0.0051** | 4.29 | 0.0047** | 6.58 | -0.0101** | -18.94 | -0.0131** | -14.20 |
| k=-15 | 0.0047** | 4.76 | 0.0044** | 7.54 | -0.0088** | -19.68 | -0.0111** | -14.65 |
| k=-10 | 0.0035** | 4.72 | 0.0033** | 7.55 | -0.0067** | -18.91 | -0.0086** | -14.30 |
| k=-5 | 0.0022** | 5.17 | 0.0022** | 8.77 | -0.0041** | -19.93 | -0.0051** | -15.34 |
| k=0 | -0.0035** | -8.02 | -0.0030** | -9.66 | 0.0025** | 8.19 | 0.0024** | 5.69 |
| k=5 | -0.0016** | -3.92 | -0.0010** | -4.84 | 0.0015** | 8.65 | 0.0019** | 5.95 |
| k=10 | -0.0025** | -3.46 | -0.0016** | -4.16 | 0.0023** | 7.96 | 0.0029** | 5.31 |
| k=15 | -0.0026** | -2.68 | -0.0018** | -3.48 | 0.0029** | 7.64 | 0.0038** | 4.86 |
| k=20 | -0.0031** | -2.67 | -0.0020** | -3.16 | 0.0033** | 7.37 | 0.0046** | 4.92 |

Panel B. Weekly market adjusted return

| Mroibtrd Bid-ask return | Intense Selling (decile 1) | | Selling (decile 1&2) | | Buying (decile 9&10) | | Intense Buying (decile10) | |
|----------------------------|-------------------------------|--------------|-------------------------|--------------|-------------------------|-------------|------------------------------|-------------|
| | Mean | t-stat | Mean | t-stat | Mean | t-stat | Mean | t-stat |
| k=-20 | 0.0005 | 1.36 | 0.0004 | 1.81 | -0.0014** | -8.03 | -0.0020** | -6.52 |
| k=-15 | 0.0013** | 3.39 | 0.0012** | 5.17 | -0.0022** | -12.83 | -0.0026** | -8.88 |
| k=-10 | 0.0013** | 3.36 | 0.0011** | 4.66 | -0.0027** | -12.34 | -0.0035** | -9.72 |
| k=-5 | 0.0022** | 5.17 | 0.0022** | 8.77 | -0.0041** | -19.93 | -0.0051** | -15.34 |
| k=0 | -0.0035** | -8.02 | -0.0030** | -9.66 | 0.0025** | 8.19 | 0.0024** | 5.69 |
| k=5 | -0.0016** | -3.92 | -0.0010** | -4.84 | 0.0015** | 8.65 | 0.0019** | 5.95 |
| k=10 | -0.0008* | -2.08 | -0.0005* | -2.32 | 0.0007** | 4.02 | 0.0010** | 3.17 |
| k=15 | -0.0002 | -0.48 | -0.0004 | -1.77 | 0.0006** | 3.22 | 0.0009* | 2.39 |
| k=20 | -0.0005 | -1.37 | -0.0002 | -0.95 | 0.0005** | 2.93 | 0.0007* | 2.17 |

Appendix Table AVI. Marketable retail Order Imbalance and Future News Sentiment

Rf g c c c g g c f c f c c c g g c bc g ac
 a cb g c $+$ cc $+$ fc b c g c d c af c c c a ce $, M$ c c g ba c
 H $0.$ $/.$ B ac c $0.$ $/2^*$ b c g c a a g cb $S,$ $, a$
 c af ec gf f c g c d c $"/,$ U cc g c D K a c f ce c g d c af f
 g fc d g ec g ge g b c g f f c g c d eg c
 g 8
 $, \& /1$
 Rf c bc c bc g c g fc cc c c g c a c d eg c g $*sent(i,w), Rf$ c
 g bc c bc g c c fc a cb c c c g bc g ac c c $mroibvol$ $\&$ cb
 f c c d f c bc b $mroib(w-1,other)$ d f c g ec bca gg g R c
 T G a g c $*$ c g a bc fc c g $+$ cc c $*ret(w-1)^*$ c g $+$ f c $*$
 $ret(m-1)$ b c g $4+$ f c $*ret(m-7,m-2)^*$ e $+$ $+$ c g $\&bm$ $*$ e c
 a $\&size$ $*$ f c $\&into$ $*$ b f gg db g c $\&vol$ $, A$ $cdlag$
 a c c cb d c g $, To$ account for serial correlation in the coefficients, the
 standard errors of the time-series are adjusted using Newey West (1987) with five lags. U c c
 f c a $cdlag$ f c c c g bc g ac b $+$ g g c b f c p -value of
 the Wald Test for all coefficients jointly equal to zero and the t-test for average of all coefficients
 equal to zero at the bottom of the table.

| Topic | Type | Description | N | mroibvol | | mroibother | |
|--------|--------------|---------------------|--------|----------|--------|------------|--------|
| | | | | al | t-stat | al | t-stat |
| FUND | cross market | investment funds | 93,142 | -0.0039 | -1.19 | -0.0003 | -0.42 |
| REGS | cross market | regulatory issues | 61,513 | -0.0044 | -1.63 | -0.0008 | -1.20 |
| MNGISS | cross market | management issues | 54,170 | -0.0022 | -0.96 | -0.0002 | -0.31 |
| NEWS | cross market | top stories | 36,265 | -0.0019 | -0.30 | -0.0016 | -1.08 |
| EXCA | cross market | exchange activities | 20,533 | -0.0114 | -1.39 | -0.0037 | -1.56 |
| DRV | cross market | derivatives | 18,061 | 0.0032 | 0.45 | 0.0002 | 0.12 |
| ISU | cross market | new issues | 17,061 | 0.0073 | 0.96 | 0.0011 | 0.60 |
| INV | cross market | Investing | 13,916 | 0.0090 | 1.20 | 0.0015 | 0.82 |
| PRESS | cross market | press digests | 9,783 | 0.0029 | 0.22 | 0.0005 | 0.19 |
| TRD | cross market | international trade | 4,782 | 0.0192 | 1.65 | 0.0055 | 1.66 |
| BKRT | cross market | bankruptcy | 4,700 | -0.0090 | -0.75 | -0.0002 | -0.08 |
| RTM | cross market | Retirement | 3,075 | -0.0187 | -1.43 | -0.0016 | -0.46 |
| HEA | general news | health/medicines | 52,110 | -0.0099 | -3.13 | -0.0020 | -2.51 |
| POL | general news | domestic politics | 49,699 | -0.0129 | -4.45 | -0.0029 | -4.26 |
| JUDIC | general news | judicial | 28,280 | 0.0056 | 1.46 | 0.0018 | 1.62 |
| LAW | general news | legislation | 17,135 | -0.0016 | -0.28 | 0.0003 | 0.22 |
| ENV | general news | environment/nature | 16,189 | -0.0178 | -3.87 | -0.0044 | -3.64 |
| SCI | general news | science/technology | 11,035 | -0.0175 | -1.87 | -0.0051 | -2.32 |
| CRIM | general news | crime | 9,866 | 0.0230 | 2.27 | 0.0036 | 1.76 |
| SECUR | general news | security | 7,528 | 0.0121 | 1.44 | 0.0021 | 0.89 |
| DIP | general news | diplomacy | 6,057 | 0.0167 | 1.81 | 0.0024 | 0.91 |

| Topic | Type | Description | N | mroibvol | | mroiboth | |
|---|--------------|-------------------------|---------|----------|--------|----------|--------|
| | | | | a1 | t-stat | a1 | t-stat |
| WEA | general news | weather | 3,860 | 0.0195 | 0.88 | 0.0042 | 0.58 |
| DIS | general news | disasters/accidents | 3,836 | -0.0123 | -1.31 | -0.0055 | -1.85 |
| VOTE | general news | elections | 1,899 | -0.0304 | -1.16 | -0.0081 | -1.05 |
| VIO | general news | civil unrest | 1,339 | 0.0187 | 0.59 | 0.0070 | 0.91 |
| WAR | general news | war/insurgencies | 1,053 | 0.0134 | 0.32 | 0.0088 | 0.58 |
| EMRG | economy | emerging markets | 88,990 | -0.0069 | -3.51 | -0.0014 | -2.61 |
| WASH | economy | US government news | 32,835 | -0.0027 | -0.48 | -0.0006 | -0.44 |
| JOB | economy | labor/employment | 28,670 | -0.0041 | -1.24 | -0.0005 | -0.47 |
| MCE | economy | macroeconomics | 18,148 | 0.0042 | 0.62 | 0.0006 | 0.34 |
| ECI | economy | economic indicators | 11,982 | 0.0077 | 0.77 | 0.0017 | 0.88 |
| CEN | economy | central banks | 9,462 | -0.0093 | -0.80 | -0.0043 | -1.23 |
| TAX | economy | tax | 4,871 | -0.0405 | -3.63 | -0.0096 | -3.77 |
| FED | economy | Federal Reserve Board | 3,632 | -0.0378 | -2.85 | -0.0131 | -4.29 |
| PLCY | economy | policymakers speak | 3,263 | -0.0187 | -1.04 | -0.0042 | -0.89 |
| INT | economy | interest rates | 2,360 | 0.0004 | 0.02 | 0.0038 | 0.59 |
| RES | equities | corporate results | 176,699 | -0.0017 | -1.83 | 0.0000 | 0.14 |
| RCH | equities | broker research | 141,765 | -0.0137 | -6.35 | -0.0025 | -4.92 |
| RESF | equities | results forecast | 102,515 | 0.0013 | 1.19 | 0.0001 | 0.48 |
| STX | equities | stock markets | 101,829 | -0.0071 | -2.31 | -0.0019 | -2.91 |
| MRG | equities | ownership changes | 69,775 | -0.0073 | -3.53 | -0.0016 | -3.28 |
| HOT | equities | hot stocks | 66,185 | -0.0073 | -2.17 | -0.0017 | -2.14 |
| PVE | equities | private equity | 25,740 | -0.0167 | -3.29 | -0.0033 | -2.64 |
| DIV | equities | dividend | 24,282 | 0.0021 | 0.76 | 0.0002 | 0.20 |
| IPO | equities | initial public offer | 13,913 | 0.0113 | 1.94 | 0.0027 | 1.90 |
| DBT | money/debt | debt markets | 73,600 | 0.0012 | 0.45 | 0.0000 | 0.04 |
| USC | money/debt | US corporate bonds | 26,796 | -0.0068 | -2.19 | -0.0020 | -2.50 |
| AAA | money/debt | debt rating news | 23,405 | 0.0072 | 1.45 | 0.0015 | 1.25 |
| LOA | money/debt | loans | 17,718 | -0.0053 | -1.40 | -0.0022 | -1.86 |
| HYD | money/debt | high-yield debt/junk | 10,222 | -0.0021 | -0.38 | -0.0011 | -0.77 |
| GVD | money/debt | government debt | 8,759 | 0.0182 | 1.44 | 0.0027 | 0.86 |
| MUNI | money/debt | muni news | 7,933 | 0.0074 | 0.83 | 0.0025 | 0.88 |
| MTG | money/debt | mortgage-backed debt | 7,764 | 0.0063 | 0.67 | 0.0004 | 0.13 |
| FRX | money/debt | forex | 7,006 | 0.0211 | 1.86 | 0.0037 | 1.21 |
| IGD | money/debt | investment grade debt | 6,760 | 0.0110 | 0.95 | 0.0023 | 0.74 |
| ABS | money/debt | asset-backed debt | 2,982 | 0.0120 | 0.53 | 0.0028 | 0.54 |
| TNC | money/debt | bond terms & conditions | 1,826 | 0.0619 | 1.37 | 0.0117 | 1.04 |
| MMT | money/debt | money markets | 1,574 | -0.0390 | -1.25 | -0.0066 | -0.81 |
| P-value of Wald Test for all coefficients jointly equal to zero | | | | | | 0.10 | 1.00 |
| P-value of t-test for average of all coefficients equal to zero | | | | | | 0.71 | 0.64 |

Appendix Table AVII. Predicting Returns k-days Ahead Using Odd Lot Marketable Retail Order Imbalances

This table reports estimation results on whether retail investors' odd lot trading activity can predict the cross-section of k-days ahead returns. Our sample period covers January 2014 to December 2015, and our sample firms are all common stocks listed on U.S. stock exchanges with a share price of at least \$1. We estimate Fama-MacBeth regressions as specified in equation (A14)

(A14)

The dependent variable is daily individual stock return k-days ahead, computed in two ways: using the end-of-day bid-ask average price or CRSP closing price. The independent variables are ts

Appendix Table AVIII. Replicate Kelley and Tetlock (2013) Table IV

This table presents results from daily logistic regressions of earnings forecast errors on scaled marketable retail imbalances ($Mroibvol[0]$) and control variables as specified in equation (A14)

$$rE_{wx} = b \quad (A15)$$

The dependent variable $PosFE[x,y]$ is one if the analyst forecast error for quarterly earnings announcements occurring from day $t+x$ through day $t+y$ is positive and zero if the forecast error is negative. The forecast error is the difference between actual earnings-per-share and the median analyst forecast from I/B/E/S. At least 50 earnings announcements with corresponding forecast data during the window of the dependent variable are required for each daily logistic regression. Average coefficients and Newey and West (1987) t -statistics are reported with lags equal to twice the horizons of the dependent variable. We use the negative probability in TRNA as Neg, while Kelley and Tetlock (2013) use negative news from Dow Jones archives.

| Reg | Kelly and Tetlock (2013) Table IV | | | | Our paper | | | | | | | |
|-----------------|-----------------------------------|--------|-------------|--------|--------------|-------------|-------------|--------|-------------|--------|-------------|--------|
| | I | | II | | I | | II | | III | | IV | |
| Dep.var | PosFE[1,5] | | PosFE[6,20] | | PosFE[1] | | PosFE[1,3] | | PosFE[1,5] | | PosFE[6,20] | |
| Order Imbalance | Imb mkt | | Imb mkt | | Mroibvol | | Mroibvol | | Mroibvol | | Mroibvol | |
| Ret | CRSP Return | | CRSP Return | | CRSP Return | | CRSP Return | | CRSP Return | | CRSP Return | |
| | Coef. | t-stat | Coef. | t-stat | Coef. | t-stat | Coef. | t-stat | Coef. | t-stat | Coef. | t-stat |
| Intercept | -1.614 | -7.58 | -1.664 | -7.43 | -1.334 | -5.34 | -3.197 | -2.92 | -2.783 | -9.37 | -2.758 | -9.78 |
| Mroib[0] | 0.126 | 5.73 | 0.047 | 2.61 | 0.121 | 2.81 | 0.043 | 1.39 | 0.035 | 1.30 | 0.007 | 0.38 |
| Neg[0] | 0.050 | 0.68 | -0.015 | -0.27 | 3.357 | 1.60 | 1.611 | 1.03 | 2.812 | 2.35 | 0.288 | 1.62 |
| Neg[-5,-1] | -0.014 | -1.00 | -0.029 | -2.23 | 0.249 | 0.49 | 0.054 | 0.18 | 0.043 | 0.12 | -0.300 | -1.85 |
| Neg[-26,-6] | -0.093 | -6.20 | -0.110 | -5.50 | -0.599 | -0.97 | -1.465 | -2.46 | -0.651 | -0.94 | -1.398 | -2.94 |
| Ret[0] | 0.033 | 6.60 | 0.028 | 9.33 | 5.608 | 3.92 | 5.785 | 6.20 | 3.017 | 5.19 | 1.951 | 4.88 |
| Ret[-5,-1] | 0.031 | 7.75 | 0.025 | 8.33 | 3.330 | 5.34 | 2.827 | 2.24 | 3.243 | 7.18 | 1.661 | 5.33 |
| Ret[-26,-6] | 0.024 | 8.00 | 0.014 | 7.00 | 2.166 | 6.14 | 2.945 | 2.64 | 1.799 | 7.51 | 1.227 | 5.82 |
| Size | 0.193 | 12.87 | 0.191 | 13.64 | 0.153 | 8.62 | 0.275 | 3.92 | 0.254 | 11.16 | 0.249 | 11.61 |
| Lbm | -0.384 | -5.05 | -0.367 | -4.59 | -0.189 | -3.68 | 0.082 | 0.33 | -0.129 | -2.74 | -0.090 | -2.36 |
| Days | 673 | | 1193 | | 289 | | 566 | | 745 | | 1210 | |
| Average R2 | 9.99% | | 8.29% | | 13.16% | | 11.06% | | 11.52% | | 8.98% | |
| Average N | 265 | | 482 | | 125 | | 229 | | 302 | | 585 | |